

Endogenous Separations, Wage Rigidities and Employment Volatility

Mikael Carlsson and Andreas Westermark

July 2016 (Updated March 2018)

WORKING PAPERS ARE OBTAINABLE FROM

www.riksbank.se/en/research

Sveriges Riksbank • SE-103 37 Stockholm Fax international: +46 8 21 05 31 Telephone international: +46 8 787 00 00

The Working Paper series presents reports on matters in the sphere of activities of the Riksbank that are considered to be of interest to a wider public. The papers are to be regarded as reports on ongoing studies and the authors will be pleased to receive comments.

The opinions expressed in this article are the sole responsibility of the author(s) and should not be interpreted as reflecting the views of Sveriges Riksbank.

Endogenous Separations, Wage Rigidities and Unemployment Volatility^{*}

Mikael Carlsson[†]and Andreas Westermark[‡]

March 27, 2018

Abstract

We show that in microdata, as well as in a search and matching model with flexible wages for new hires, wage rigidities of incumbent workers have substantial effects on separations and unemployment volatility. Allowing for an empirically relevant degree of wage rigidities for incumbent workers drives unemployment volatility, as well as the volatility of vacancies and tightness to that in the data. Thus, the degree of wage rigidities on macroeconomic outcomes. This finding affects the interpretation of a large empirical literature on wage rigidities.

Keywords: Search and matching, Unemployment volatility puzzle, Wage rigidities, Job Destruction

JEL classification: J63, J64, E30.

[†]Uppsala University, Uppsala Center for Labor Studies and Sveriges Riksbank. E-mail: mikael.carlsson@nek.uu.se.

^{*}We are grateful to Peter Fredriksson, Mark Gertler, Per Krusell, Christian Merkl, Oskar Nordström Skans, Robert Shimer and Karl Walentin as well as participants at the CEF 2015 in Taipei, Econometric Society World Congress 2015 in Montreal, Greater Stockholm Macro Group, UCLS, the Institute for Employment Research, the Nordic Data Meeting, 2015, Oslo, IAB, Nuremberg 2015, EEA 2016, Geneva, and the Conference on Labour Market Models and Their Applications, 2015, Sandbjerg Manor for comments and discussions. Elis Nycander provided excellent research assistance. Carlsson gratefully acknowledge funding from the Ragnar Söderberg Foundation. The micro data used in this paper are confidential but the authors' access is not exclusive. The opinions expressed in this article are the sole responsibility of the authors and should not be interpreted as reflecting the views of Sveriges Riksbank.

[‡]Research Department, Sveriges Riksbank, SE-103 37, Stockholm, Sweden and Uppsala Center for Labor Studies. e-mail: andreas.westermark@riksbank.se.

1 Introduction

In a recent very influential paper, Pissarides (2009) showed that in the baseline search and matching model job creation, and hence unemployment volatility, is only affected by wage setting in new matches. This is important, since it points to the degree of wage rigidity of new hires as the key statistic determining labor-market dynamics as opposed to wage rigidities in general.¹ Naturally, this insight spurred a growing empirical literature studying wage setting for new hires (see e.g. Carneiro, Guimarães and Portugal, 2012, Gertler, Trigari and Huckfeldt, 2016, Haefke, Sonntag and van Rens, 2013 and Martins, Thomas and Solon, 2012).

Pissarides (2009) analyzes the case with exogenous separations, a route supported by the influential finding of Shimer (2007, 2012) that separations contribute very little to unemployment fluctuations. However, recent work by Barnichon (2012) show that this result hinges crucially on the assumption that the job finding and the job separation rates are two independent determinants of unemployment. Relaxing this assumption increases the role of separations in unemployment volatility substantially to about 40 percent of unemployment's variance; see also Fujita and Ramey (2009), Elsby, Michaels, and Solon (2009) for additional evidence of the importance of the separations margin in understanding unemployment volatility. In light of this finding, we take a step back in this paper and study the role of wage rigidities for incumbent workers in a search and matching model with endogenous separations as in e.g. Pissarides (1994), where wages of new hires are fully flexible. We begin by showing that wage rigidities of incumbent workers are important for separations and hence employment volatility in a simple partial equilibrium setup. Intuitively, a positive shock to productivity increases all wages that can be adjusted, but with wage frictions some wages in existing matches are unchanged leading to a decrease in separations. Then, since the incumbent wage affects job separations, employment is affected. Thus, to only focus on wage setting for new hires is not enough in this framework in order to fully capture the link between wage-setting rigidities and unemployment volatility.

To provide evidence on the link between separations and incumbent wages, we rely on linked Swedish employer-employee microdata. We show theoretically that if incumbent workers' wages are flexible there should be no relationship between the firm wage and separations conditional on the marginal revenue product of the firm and the workers' outside option. In contrast, the data give stark evidence for a strong positive conditional relationship as expected when incumbent worker wages are rigid. This finding is thus in line with the literature studying the cyclicality of wages documenting wage rigidities in incumbents' wages; see Pissarides (2009) for an overview of this large literature. In a similar vein, Schmeider and Von Wachter (2010) provide evidence that workers with higher wages

¹Specifically, wage rigidities for new hires are then what is needed in order to mitigate the unemployment volatility puzzle present in this model (see Shimer, 2005, and Hall, 2005).

due to past favorable labor market conditions face higher risk of job loss in U.S. data. Earlier work by Card (1990) also points to that preset wages have an allocative effect.

Since general equilibrium feedback effects may overturn partial equilibrium intuition, we proceed by introducing endogenous separations in combination with rigid wages for incumbent workers in a DSGE model. In this setup, we find that an empirically relevant degree of wage rigidities for incumbent workers has large quantitative effects on unemployment volatility even when wages for new hires are fully flexible, producing a standard deviation of unemployment that matches the standard deviation in the data. Importantly, the model also matches the quantitative microdata evidence on the conditional firm-level wage elasticity of separations without this moment being targeted in the model calibration. In contrast, if we turn off the wage rigidity - making all wages flexible - unemployment volatility drops significantly indicating that wage rigidities for incumbent workers provide a substantial propagation force. Thus, as a corollary to these findings, the degree of wage rigidity for newly hired workers is not a sufficient statistic for determining the effect of wage rigidities on macroeconomic outcomes. Instead, wage frictions for incumbent workers turn out to have large effects on employment volatility, despite wages for new hires being flexible. This finding, in turn, affects the interpretation of a large empirical literature on wage rigidities; see Pissarides (2009) for a summary.

Three related papers are Bils, Chang, and Kim (2016), Schoefer (2015) and Fujita and Ramey (2012). Bils, Chang, and Kim (2016) argue that endogenous effort can break the neutrality result of wages for existing workers. Even though wages for new hires are flexible, future effort choices are affected by wage frictions, in turn affecting job creation and employment. However, to achieve a significant difference vis-à-vis a model with fully flexible wages, equilibrium effort needs to depend not only on the individual worker's wage, but also on the wage of all workers in the firm, which in turn equalizes the effort level across all workers in the firm. In Schoefer (2015), there is a financial friction in the form of a requirement on firms to use internal funds when hiring workers. Wage rigidities then make firm internal funds vary substantially with shocks, in turn leading to a large volatility in hiring and employment. In both papers, any effects of wage frictions on unemployment volatility work through the hiring margin, though. Fujita and Ramey (2012) analyses a model with endogenous separations and on-the-job search with flexible wages for all workers. Their calibrated model generates countercyclical separations and an unemployment volatility that is more in line with the data than that generated by the classical search and matching model, albeit still on the low side. We show that introducing wage frictions for incumbent wages brings the model much closer in matching the data moments, especially for unemployment, vacancies and tightness. Also, with flexible wages for all workers the model predicts a zero conditional firm-level wage elasticity of separations, which is, again, clearly rejected by the microdata.

This paper is outlined as follows. In Section 2 we present the basic mechanism we have in mind, in Section 3 we present microdata evidence supporting that incumbent wage stickiness affect separations, in Section 4 we outline the framework for the quantitative evaluation and in Section 5 we present the calibration and the quantitative results. Finally, Section 6 concludes.

2 The Mechanism

To set ideas, it is helpful to first focus on a stylized model of the labor market with search and matching frictions captured by a constant returns matching function and where wages are determined by the Nash-Bargaining solution. Moreover, separations are endogenous and the firm can close jobs at no cost as along the lines of Mortensen and Pissarides (1994). Thus, an idiosyncratic productivity shock a_{jt} is drawn in each firm j at each period t, following the cdf G. The firm decides on a cutoff level of idiosyncratic productivity, denoted R_{jt} , where the firm is indifferent between terminating the match and keeping the worker. Firm marginal revenue product, given the idiosyncratic productivity shock, is

$$p_{jt} z_t a_{jt} \tag{1}$$

where p_{jt} is the price of the firm's output and z_t an aggregate productivity shock.

2.1 Flexible Wages

We denote the surplus of the firm (worker) when wages change by J_{jt} (H_{jt}). Letting w_{jt} (a_{jt}) denote the rebargained wage, the expected firm value is

$$J_{jt}(a_{jt}) = p_{jt}z_t a_{jt} - w_{jt}(a_{jt}) + \beta \rho \int_0^1 \max\{J_{jt+1}(r), 0\} dG(r)$$
(2)

where β is the discount factor and ρ is the fixed probability that the match survives into the next period, capturing an exogenous component of separations (i.e. voluntary quits). When the firm has the right to manage, the firm choose separations (i.e. the cutoff productivities R_{jt}) so that $J_{jt}(R_{jt}) = 0$.

Similarly, the surplus for the worker when wages change is

$$H_{jt}(a_{jt}) = w_{jt}(a_{jt}) - b + \beta \left[\rho \int_{r \ge R_{jt+1}}^{1} H_{jt+1}(r) \, dG(r) - s_t H_{t+1}^e \right],\tag{3}$$

where b is the flow payoff of the worker when unemployed, s the probability of finding a job and H_t^e the average value of being employed across all firms in the economy. Wages are determined in bargaining and are given by the Nash Bargaining Solution (NBS)

$$\max_{w_{jt}(a_{jt})} (H_{jt}(a_{jt}))^{\varphi} (J_{jt}(a_{jt}))^{1-\varphi}.$$
(4)

Note that, removing the firm's right to manage and instead assuming that separations are also bargained over, the separation cutoff is determined so that the total surplus $S_{jt} = J_{jt} + H_{jt}$ is zero, i.e. $S_{jt}(R_{jt}) = 0$. Since $J_{jt} = (1 - \varphi) S_{jt}$, the solution is the same as under right to manage; see also Fujita and Ramey (2012). Moreover, wages do not affect separations in equilibrium, since wages just redistribute surplus between the firm and the worker. We have

$$R_{jt} = \frac{b - \left[\beta \rho \int_0^1 \max\{S_{jt+1}(r), 0\} dG(r) - \beta s_t \varphi S_{t+1}^e\right]}{p_{jt} z_t},$$
(5)

which does not depend on wages, but only on (the current and future through S_{jt+1} and S_{t+1}^e) outside option of the worker and the marginal revenue product of the firm.

2.2 Wage Frictions

We denote the surplus of the firm (worker) when wages change by J_{jt} (H_{jt}). Letting w_{jt} (a_{jt}) denote the rebargained wage, the expected firm value is

$$J_{jt}(a_{jt}) = p_{jt}z_{t}a_{jt} - w_{jt}(a_{jt}) + \alpha\beta\rho \int_{0}^{1} \max\{J_{jt+1}(r), 0\}dG(r)$$

$$+ (1 - \alpha)\beta\rho \int_{0}^{1} \max\{\hat{J}_{jt+1}(r, w_{jt}(a_{jt})), 0\}dG(r),$$
(6)

where α is the probability that wages are adjusted and $\hat{J}_{jt+1}(r, \hat{w}_{jt})$ the surplus of the firm when wages are fixed at \hat{w}_{jt} . Also, for firms where the wage is fixed at \hat{w}_{jt} , noting that \hat{w}_{jt} is a state variable,

$$\hat{J}_{jt}(a_{jt}, \hat{w}_{jt}) = p_{jt} z_t a_{jt} - \hat{w}_{jt} + \alpha \beta \rho \int_0^1 \max\{J_{jt+1}(r), 0\} dG(r)$$

$$+ (1 - \alpha) \beta \rho \int_0^1 \max\{\hat{J}_{jt+1}(r, \hat{w}_{jt}), 0\} dG(r).$$
(7)

Firms choose separations (i.e. the cutoff productivities R_{jt} and $\hat{R}_{jt}(\hat{w}_{jt})$) so that

$$J_{jt}(R_{jt}) = 0 \tag{8}$$

$$\hat{J}_{jt}\left(\hat{R}_{jt}\left(\hat{w}_{jt}\right),\hat{w}_{jt}\right) = 0.$$
(9)

Similarly, the surplus for the worker when wages change is

$$H_{jt}(a_{jt}) = w_{jt}(a_{jt}) - b + \alpha\beta \left[\rho \int_{r \ge R_{jt+1}}^{1} H_{jt+1}(r) \, dG(r) - s_t H_{t+1}^e \right]$$

$$+ (1 - \alpha) \beta \left[\rho \int_{r \ge \hat{R}_{jt+1}(w_{jt}(a_{jt}))}^{1} \hat{H}_{jt+1}(r, w_{jt}(a_{jt})) \, dG(r) - s_t H_{t+1}^e \right],$$
(10)

When wages are not rebargained, $\hat{H}_{jt}(a_{jt}, \hat{w}_{jt})$ is defined along the lines of (10) with \hat{w}_{jt} replacing $w_{jt}(a_{jt})$. In case wages are renegotiated, they are again given by the NBS (4).

If wages are sticky, the wage will have allocative effects through separations, in contrast to when wages are flexible as in (5). For workers that don't rebargain their wage, the separation cutoff \hat{R}_{jt} is determined so that $\hat{J}_{jt}\left(\hat{R}_{jt}\left(\hat{w}_{jt}\right),\hat{w}_{jt}\right) = 0$, which implies that

$$\hat{R}_{jt}\left(\hat{w}_{jt}\right) = \frac{\hat{w}_{jt} - \alpha\beta\rho\int_{0}^{1}\max\{J_{jt+1}\left(r\right), 0\}dG\left(r\right) - (1-\alpha)\beta\rho\int_{0}^{1}\max\{\hat{J}_{jt+1}\left(r, \hat{w}_{jt}\right), 0\}dG\left(r\right)}{p_{jt}z_{t}}.$$
 (11)

Assuming that $\frac{d\hat{J}_{jt+1}(r,\hat{w}_{jt})}{d\hat{w}_{jt}} < 0$, we get $d\hat{R}_{jt}/d\hat{w}_{jt} > 0$ and thus that separations increase in the wage. Notice that this derivative is conditional on holding the marginal revenue product of the firm as well as the outside option of the worker constant.

While the model above only has single worker firms, it can be recast in a model where firms are large, given that firms have a constant returns technology. For incumbent workers, some wages are renegotiated and some are not and separations are given by (8) and (9), respectively. For new hires, on the other hand, all wages are negotiated at entry and the separation decision is given by (8). Thus, rigid wages affect separations for incumbent workers.

3 Are Separations Driven by Sticky Incumbent Wages?

To test which model of wage setting is best aligned with microdata, we rely on equations (5) and (11) and impose a log-linear technology (Cobb-Douglas) to account for the fact that most firms have many employees. We also assume that the variation in the outside option is common across workers in the same sector and time period and can thus be captured by the interaction of time and sector dummies, denoted λ_{st} .² We then estimate the following regression using IV-techniques

$$\ln sep_{jt} = \alpha_j + \beta_w \ln w_{jt} + \beta_{mrp} \ln mrp_{jt} + \lambda_{st} + \epsilon_{jt}, \tag{12}$$

 $^{^{2}}$ See Carlsson, Messina and Nordström Skans, 2016, for direct evidence on the importance of sectoral variation in outside options for wage setting. We will also experiment with the triple interaction of time, sector and county below, taking into account the possibility that the reservation wage within a sector and time period may also vary across regions.

where sep_{jt} is the number of separations, mrp_{jt} is the nominal firm marginal revenue product of labor, w_{jt} is the nominal firm wage and α_j captures all firm-level constants. Here mrp_{jt} is defined as $p_{jt}y_{jt}/n_{jt}$, where $p_{jt}y_{jt}$ is nominal value added and n_{jt} employment. Moreover, w_{jt} is defined as $wagebill_{jt}/n_{jt}$.³ The parameter of interest is then β_w , i.e. the conditional firm-level wage elasticity of separations, which in the IV strategy outlined below will be identified using covariation in incumbents' wages over time. From the simple model outlined above we expect that $\beta_w > 0$ when controlling for marginal revenue product and outside options under the null of sticky incumbent wages. Before proceeding there are however some identification- and technical issues associated with estimating equation (12) which we need to discuss.

First, the firm fixed effect will remove all differences between firms on average and the sector by time fixed effects will remove all common variation in the data due to e.g. aggregate or sectoral shocks. Thus, the identification of β_w will come from purely idiosyncratic firm-level variation, which is what we need for our empirical test of the model predictions. Note also that including the interaction of time and sector dummies will handle the deflation of the variables and we therefore rely on nominal measures of the firm-level marginal revenue product and the wage in the specification (12).

Second, to handle simultaneity and potential measurement errors we need instruments correlated with $\ln mrp_{jt}$ and $\ln w_{jt}$ - to provide independent variation vis-à-vis the outside option of the workers - captured by time by sector dummies, but uncorrelated with any idiosyncratic shocks simultaneously driving $\ln sep_{jt}$. Naturally, these restrictions leave a very small set of potential instruments. However, as shown by Fujita and Ramey (2012) and echoed in our own findings reported below, matching a model with endogenous separations to the data requires idiosyncratic shocks that are, for all practical purposes, to be regarded as i.i.d. on the annual frequency (see Section 5 below for a discussion). This result opens up for plausibly using lagged information when constructing instruments. Importantly, even with non-persistent idiosyncratic shocks, wage stickiness, as included in the model, still gives rise to a positive correlation of wages over time through (sometimes) unchanged wages for incumbent workers. We can use this for identification. Similarly, although not explicitly modeled, the presence of price stickiness in the data (as reported by Carlsson and Nordström Skans, 2012) generates a positive correlation of the marginal revenue product over time, which also can be used for identification.⁴ Moreover, from the model above, idiosyncratic technology shocks that drive down separations would also drive up the wage. Thus, autocorrelation in the idiosyncratic technology shocks and the use of instruments based on lagged information would bias us towards finding a negative sign on the key parameter of interest in this exercise, β_w . In this sense, the positive estimate of β_w presented below is

³Future values affect today's separations and we have common autocorrelated shocks in the model outlined below. Note, however, that this common variation in future values will be captured by the time dummies.

 $^{^{4}}$ In Appendix A, we present results from the first-stage regressions with signs that are in line with these predictions.

to be regarded as a lower bound. In Appendix A we show that this result is robust, with only mildly increasing point estimates of β_w when using higher order lags of the instruments, which should further alleviate any potential bias from autocorrelated idiosyncratic shocks.

Third, the model predicts that there should only be an effect of incumbent workers wages on separations in the case incumbents wages are sticky. Note that if incumbent workers wages are sticky, it is possible to think of stories where new-hires wages could also be affected by the lagged wage of incumbents through new hires wages beeing tied to incumbent workers wages in a rigid wage structure within the firm. Although the degree of flexibility of new hires wages is the subject of intense debate (see e.g. Carneiro, Guimarães and Portugal, 2012, Gertler, Trigari and Huckfeldt, 2016, Haefke, Sonntag and van Rens, 2013, Martins, Thomas and Solon, 2012 and Pissarides, 2009), from the model outlined above it is clear that this indirect effect would impose a negative force on β_w since higher incumbent wages, ceteris paribus, also lower the incentive to create new jobs and thus mitigate the incentives to substitute away from incumbent workers. This again would be a reason for viewing the positive estimate for β_w as a lower bound.

Fourth, to compute separations we rely on the Register Based Labor Markets Statistics (RAMS) collected by the Swedish Tax Authority for tax reasons and containing individual worker information on annual total labor income by employment spell (measured as start and end month) by each firm (see Section 3.1 below for a more detailed discussion of the data). The RAMS data set does not contain any information on the intensive labor-input margin in this data. Conceptually, we want to think of workers with at least some degree of attachment to the firm when studying wage effects on the firm-level separations margin, but it is not obvious where to draw the line. Below, we discuss in detail what we do to mitigate this problem by using a cut-off for the individual monthly wage (calculated by dividing annual labor income by the employment spell length in months), but regardless of what exactly we do, we should acknowledge that there will be measurement errors in the separations variable. The existence of measurement errors in the left hand side variable in the regression is not a serious issue per se since it only affects the precision of the estimates. However, using the wage measure from the RAMS data to compute a firm-level wage as the average monthly wage across all workers within the firm is more problematic. First, lacking data on the intensive labor-input margin makes the metric for this measure unclear. Also, separations from weakly attached workers with a low measured monthly wage causes the RAMS measure of the firm-level wage to rise mechanically. Moreover, via the flow equation of employment, i.e. $n_{jt} = n_{jt-1} + hires_{jt} - sep_{jt}$, we arrive at a version of the classic division-bias problem. The dynamic nature of the same flow equation also renders the use of a lag of the RAMS measure of the firm-level wage as an instrument for the current value of the same measure questionable. Fortunately, we have access to a completely separate measure of firm-level

wages from the database Företagens Ekonomi (FEK), which is based on a firm-level survey maintained by Statistics Sweden. From this source we can compute a firm-level wage as the wage sum paid by the firm divided by the number of *full time equivalent* employes. First, this gives us a wage metric that handles the intensive margin to be used as the dependent variable. Second, this measure will not be subject to the problematic dependencies between the measures of separations and firm-level wages discussed above. We will also use this data source when computing our measure of the firm-level marginal revenue product used both as an independent variable and as an instrument when lagged.

Fifth, there may be true systematic sorting of workers into separations that may give rise to a nonzero β_w even under flexible wages for incumbents. If the separation probability of a worker is related to the wage ranking of the workers within the firm, the firm-level wage would move when workers separate. This issue prevents us from using the lagged firm-level wage from the FEK data as an instrument. Instead, to handle such sorting effects on the estimate of β_w we construct an instrument for the firm-level wage that controls for the composition of workers within the firm. Specifically, we estimate the following regression on RAMS data in a first step

$$\ln w_{ijt} = \gamma_{ij} + \ln w_{it}^{cc} + \xi_{ijt},\tag{13}$$

where $\ln w_{ijt}$ is the wage for a worker *i* in firm *j* in time *t*, γ_{ij} is a match-specific effect, $\ln w_{jt}^{cc}$ is firm specific time fixed effects. The estimate $\ln \hat{w}_{jt}^{cc}$ is then a measure of the firm-level wage controlling for the composition of the workers in the firm.⁵ We will use the lag of this measure as an instrument and thus rely on covariation in the incumbent workers' wages over time via wage stickiness for identification of β_w while controlling for any sorting effects on the same parameter.^{6,7}

Finally, many firms are small and to conserve on the data and not throw out all zero observations on separations we will use the approximation $sep_{jt}/\overline{sep}_j$, where \overline{sep}_j denotes the firm average of separations, instead of $\ln sep_{jt}$, as the dependent variable in the specification (12).⁸ In the Appendix A we evaluate this approximation and show that it performs well on an overlapping sample.

⁵The composition cleaned firm-level wage, $\ln \hat{w}_{jt}^{cc}$, is identified up to firm-specific constant, which in turn, is estimated in the second step where the (lag of the) measure is used as an instrument. Also, $\ln \hat{w}_{jt}^{cc}$ is an estimated measure, but since it will be used as an instrument (and not a regressor) this will not affect the inference; see Wooldridge (2002).

⁶Note that the IV-procedure would break down already in the first stage if there is no wage stickiness for incumbent workers in the data. 'Removing the match-specific fixed effects is an alternative way to address the problematic dependencies between the

Removing the match-specific fixed effects is an alternative way to address the problematic dependencies between the measures of separations and firm-level wages discussed above. But since it is still less clear how to think of the wage metric in the composition cleaned firm-level wage derived from the RAMS data, we use it to form an instrument and use the firm-level wage from the FEK data, where the wage metric is clear (full time wage), as the explanatory variable.

⁸Note that in (12), $\beta_w = d \ln sep_{jt}/d \ln w_{jt} = (dsep_{jt}/sep_{jt})/(dw_{jt}/w_{jt}) \simeq (dsep_{jt}/\overline{sep}_j)/(dw_{jt}/w_{jt})$, where the latter expression is estimated when the approximation is used.

3.1 Microdata

As discussed above, the firm-level microdata we use to estimate equation (12) are drawn from two sources. First, we use annual information from the survey/register FEK database maintained by Statistics Sweden, on value added, labor costs, the number of employees (in terms of full-time equivalents) and a five-digit (NACE) sector code for all employing non-financial Swedish firms in the private sector from 1997 to 2011, which is the last year we have access to. We then compute mrp_{jt} as nominal value added $(p_{jt}y_{jt})$ divided by the number of full-time equivalent workers (l_{jt}) . To obtain a measure of the firm wage we divide total firm-level nominal labor costs $(wagebill_{jt})$ by the number of full-time equivalent workers.⁹ Thus the FEK data gives us a proper measure of the average firm-level, full-time wage since the labor input measure accounts for both the extensive and intensive labor-input margin.

Second, to compute separations we use the RAMS database. This database is also maintained by Statistics Sweden and contains information about labor earnings for all employment spells in the Swedish private sector as well as a plant and a firm identifier. The plant and firm identifiers enable us to match the individual employment spells to the employing firm in the FEK database. Importantly, the RAMS database is based on a completely separate data source than the FEK database, so there is no scope for overlapping measurement errors in the two databases. Specifically, the raw data for the RAMS database is collected from employers by the Swedish Tax Authority in order to calculate taxes. Data include information on annual earnings, as well as the first and last remunerated month in the year. Using this information, we can construct a firm measure of separations. Here, separations are defined in the same way as they enter into the flow equation of employment, i.e. $n_{jt} = n_{jt-1} + n_{jt-1}$ $hires_{it} - sep_{it}$. The baseline definition of separations we employ is based on the primary employment of full-time workers. The RAMS data lacks information on actual hours, so to restrict attention to workers that are reasonably close to full time workers we only consider a person to be a full-time employee if the (monthly) wage exceeds 75 percent of the mean (monthly) wage of janitors employed by municipalities. Also, since we are aiming to identify full-time workers we only count an individual as employed by at most one firm each year by only keeping the employment with the highest wage in November (which is the reference month used by Statistics Sweden). In other words, with this definition we focus on individual's primary employment.¹⁰ Self-employed workers are not counted as employed in any of the definitions of separations used in the paper.

Third, using the same RAMS data on individual's primary employment, we compute the compo-

⁹Swedish collective agreements, covering about 90 percent of the work force, are bargained at the sectoral level, but a substantial part of wage bargaining is done by local parties at the firm level, see Nordström Skans, Edin, and Holmlund (2009).

¹⁰Nordström Skans, Edin, and Holmlund (2009) and Carlsson, Messina, and Nordström Skans (2016) use a similar approach to identify full-time workers' primary employment.

sition cleaned firm-level wage $\ln w_{it}^{cc}$ by estimating equation (13).

Fourth, note that the RAMS database contains geographical information on the plant where the worker is employed. Using this information we can also experiment by including controls for regional variation in the workers' outside option. Thus, we can include the triple interaction of time, two-digit (NACE) sector and county (NUTS3) as a control for the workers' outside option.

Putting everything together, we end up with a sample of 175, 459 firms and 1, 147, 875 firm/year observations for which we can compile all the information we need for estimating the baseline IV-specification.

Finally, two additional complications arise from the fact that many firms are small and there are many instances of zero separations (about 41 percent of the data). To handle very large swings in separations and to acknowledge that $\ln w_{jt}^{cc}$ is estimated as an average across workers within a firm/year, we first require that the firms have at least 10 full-time employees for a firm/year observation to be included (according to the strict definition used to compute separations in the RAMS data), leaving a sample of 52, 653 firms and 316,903 firm/year observations. Secondly, to conserve on the data and not throw out all zero observations on separations we use the approximation $sep_{jt}/\overline{sep}_j$, as discussed above, instead of $\ln sep_{jt}$, as the dependent variable in the regression (12). However, even with this approximation we need to drop firms with a zero firm average of separations. Thus, all in all, the baseline estimation sample amounts to 49,824 firms and 313,383 firm/year observations. For this sample, we control for outside options by using 814 sector by time dummies (when using sector by time by county dummies to control for outside options, we use 12,741 dummies).¹¹ Note that the sample size information in the tables below is adjusted for removing singletons in the estimation.

3.2 Microdata Results

As can be seen in the first column of Table 1, IV estimation yields a statistically significant estimate of the conditional firm-level wage elasticity of separations, β_w , equal to 6.029 (firm-level clustered s.e. 0.309), thus rejecting the null of flexible incumbent wages with a sign consistent with the presence of wage frictions in the data. Moreover, the negative sign of the coefficient for the estimated conditional firm-level marginal revenue product elasticity of separations, β_{mrp} (-2.261, s.e. 0.173), is also in line with what is expected from the model. As reported in Appendix A, the instruments are highly relevant with F-statistics of 589 and 437, in respective first-stage regression.¹²

From column (2) we see that allowing for geographical variation, over and above sector time variation, in the workers' outside option does not change the results quantitatively. Specifically,

¹¹Estimation is performed using the reghdfe routine for Stata; see Correia (2014).

¹²Also, a formal under-identification test confirms that the IV specification is well identified (Kleibergen and Paap (2006) rk LM statistic: $\chi^2(1) = 465$, p-val = 0.000)

Table	ble 1: Micro-Data Results			
	(1)	(2)	(3)	
β_{mrp}	-2.261 (0.173)**	-2.331 (0.206)**	-2.483 (0.314)**	
β_w	6.029 (0.309)**	5.773 (0.331)**	6.553 $(0.460)^{**}$	
Dummies:				
Firm	YES	YES	YES	
Sector by Time	YES	YES	YES	
Sector by County by Time	NO	YES	NO	
2008-2011 Included	YES	YES	NO	
Observations	306,205	261,452	207, 230	
Firms	42,656	38,525	35,024	

* (**) Denotes significance on the 5 (1) percent level from zero. Standard errors clustered on the firm level reported inside parenthesis. Sector denotes two-digit NACE codes. All regressions include firm-level fixed effects. Sample sizes are adjusted for singletons dropped in the estimation.

including the triple interaction of sector (NACE two-digit) by time by county yields similar results as to relying on only the interaction of sector (NACE two-digit) by time. Note that the number of observations falls a bit when also allowing for geographical variation in the reservation wage since we loose firms with multi-county activity in this version of the regression.

In column (3) we show that dropping years affected by the financial crisis (2008-2011) yields very similar results, quantitatively.

In Appendix A we also show that the results are also robust to: (i) employing a loose measure of firm-level separations in the regression, relying on all employment spells of all workers regardless of their degree of firm attachment when calculating separations, (ii) looking at larger firms (iii) focusing on the manufacturing sector only, and (iv) lagging the instrument set further backwards in time. Overall, the point estimates of the conditional firm-level wage elasticity of separations are all statistically significant and lie between 5.067 and 8.333 across all the exercises in the paper, implying a back of the envelope 95-percent confidence interval of 4.542 and 9.846. Thus, all in all, we conclude from this exercise that the microdata strongly and robustly rejects a flexible incumbent wage model, and instead favours the hypothesis that incumbent wages do affect separations and that wages thereby are being allocative. This finding is also in line with the literature studying the cyclicality of wages documenting wage rigidities in incumbents' wages; see Pissarides (2009) for an overview of this large literature. In a similar vein, Schmeider and Von Wachter (2010) provide evidence that workers with higher wages due to past favorable labor market conditions face higher risk of job loss in U.S. data. Earlier work by Card (1990) also provide evidence of that preset wages have an allocative effect. Note that there is a large literature, surveyed in Manning (2011), that seeks to infer the elasticity of labor supply by looking at how sensitive firm recruitment is to wages. Since recruitment is equal to the negative of separations for a firm with constant employment, this is in a number of studies indirectly measured by the separation elasticity with respect to wages. Since this strand of the literature tries to estimate the labor supply elasticity, i.e., movements along the labor supply curve, the relationship between wages and separations is found to be negative. Note that the exercise in this paper is very different. We seek to identify a mechanism that acts via firms labor demand by estimating the effect of variations in incumbents' wages on separations, conditional on the marginal revenue product of the firm and the workers' outside option. Naturally, the effect of wages on separations working through the firm's labor demand is positive.

4 A Model for Quantitative Evaluation

The next step in our analysis attempts to realistically evaluate the macroeconomic quantitative importance of the mechanism outlined above by embedding it in a standard Mortensen and Pissarides (1994) model. Since we are not interested in studying nominal variables per se, we treat prices as flexible and normalize the price p_{jt} in (6) to unity in every period. This provides a framework for the quantitative evaluation that shares many elements of standard real models.

In the model, firms use labor to produce output and post vacancies on a search and matching labor market. Wages are bargained between workers and firms in a setting with stochastic impediments to rebargaining, akin to Calvo (1983). New hires, however, always bargain their wage. On-the-job search is endogenous along the lines of Pissarides (1994).¹³ Unemployed workers receive unemployment benefits paid by the government that are financed via lump-sum taxes.

4.1 Firms

Firms each employ one worker to produce a homogenous good with a constant returns technology that is sold at unit price to retailers. Firm revenue is $z_t a_t$, where z_t is an aggregate productivity shock and a_t an idiosyncratic productivity shock. Note that for notational convenience we suppress the jindex used in Section 2 on idiosyncratic productivity. The idiosyncratic shock is assumed to follow the cdf G with upper and lower bounds, a_{ub} and a_{lb} , respectively. As in the example in section 2, if idiosyncratic productivity is sufficiently low, the firm will cease operations and lay off the worker.

 $^{^{13}}$ The key contribution of endogenous on-the-job search is to generate a Beveridge curve with a negative slope. Removing this feature of the model does not affect the overall findings of this paper.

4.2 Search and Matching and the Hiring Decision

Letting u_t denote unemployment, ν_t vacancies and ϕ_t the number of matched workers searching, the total number of searching workers is $u_t + \phi_t$. Match formation is governed by the Cobb-Douglas matching function

$$m\left(u_t + \phi_t, v_t\right) = \sigma_\mu \left(u_t + \phi_t\right)^{\sigma_a} \nu_t^{1 - \sigma_a}.$$
(14)

Labor-market tightness is given by

$$\theta_t = \frac{\nu_t}{u_t + \phi_t}.\tag{15}$$

Vacancies are determined as usual by the equalization of the vacancy cost, denoted c, of an employee and the expected value of the worker to the firm. As in Pissarides (1994), when workers enter a firm, they enter at the highest idiosyncratic productivity a_{ub} . Job creation is then given by

$$c = \beta E_t q\left(\theta_t\right) J_{t+1}\left(a_{ub}\right),\tag{16}$$

where β is the discount factor, $q(\theta_t)$ the probability of filling a vacancy and J_t the value of a firm. A detailed description of employment flows, which are somewhat involved, can be found in the Appendix B.1.

4.3 Value Functions

Let H^s and H^{ns} denote worker surplus when the worker searches and does not search on the job, respectively. We assume that workers face a cost σ of searching on the job. With probability λ , workers' idiosyncratic productivity changes and is again drawn from the distribution G and with probability $(1 - \lambda)$ that the probability is unchanged. Note that the wage will depend on idiosyncratic productivity a_t . Let $w^s(a_t)$ ($w^{ns}(a_t)$) denote the worker wages when searching (not searching). The expected net surplus for an employed worker in a firm that resets the wage this period is

$$H_{t}^{i}(a_{t}) = w_{t}^{i}(a_{t}) - b - \mathbb{I}_{t}\sigma + \beta E_{t}\alpha\rho^{i}\left(\lambda\int_{0}^{1}H_{t+1}(r)\,dG(r) + (1-\lambda)\,H_{t+1}(a_{t})\right) +\beta E_{t}\left(1-\alpha\right)\rho^{i}\left(\lambda\int_{0}^{1}\hat{H}_{t+1}\left(r,w_{t}^{i}\left(a_{t}\right)\right)dG(r) + (1-\lambda)\,\hat{H}_{t+1}\left(a_{t},w_{t}^{i}\left(a_{t}\right)\right)\right) +\beta E_{t}\left(g^{i}-f\left(\theta_{t}\right)\right)H_{t+1}\left(a_{ub}\right),$$
(17)

where \mathbb{I}_t is an indicator function that is equal to one of the worker searches on the job and zero otherwise, again surpressing the aggregate state variable z_t . Moreover, b is the flow payoff of the worker when unemployed, $g^{ns} = 0$ and $g^s = f(\theta_t)$, $\rho^{ns} = (1 - s)$ and $\rho^s = (1 - f(\theta_t))(1 - s)$,

$$H_{t}(a_{t}) = \begin{cases} \max(H_{t}^{ns}(a_{t}), H_{t}^{s}(a_{t})) & \text{if } a_{t} > R_{t}^{ns} \text{ and } a_{t} > R_{t}^{s} \\ H_{t}^{ns}(a_{t}) & \text{if } a_{t} > R_{t}^{ns} \text{ and } a_{t} \le R_{t}^{s} \\ H_{t}^{s}(a_{t}) & \text{if } a_{t} \le R_{t}^{ns} \text{ and } a_{t} > R_{t}^{s} \\ 0 & \text{otherwise,} \end{cases}$$
(18)

and

$$\hat{H}_{t}(a_{t},\hat{w}_{t}) = \begin{cases} \max\left(\hat{H}_{t}^{ns}(a_{t},\hat{w}_{t}),\hat{H}_{t}^{s}(a_{t},\hat{w}_{t})\right) & \text{if } a_{t} > \hat{R}_{t}^{ns}(\hat{w}_{t}) \text{ and } a_{t} > \hat{R}_{t}^{s}(\hat{w}_{t}) \\ \hat{H}_{t}^{ns}(a_{t},\hat{w}_{t}) & \text{if } a_{t} > \hat{R}_{t}^{ns}(\hat{w}_{t}) \text{ and } a_{t} \le \hat{R}_{t}^{s}(\hat{w}_{t}) \\ \hat{H}_{t}^{s}(a_{t},\hat{w}_{t}) & \text{if } a_{t} \le \hat{R}_{t}^{ns}(\hat{w}_{t}) \text{ and } a_{t} > \hat{R}_{t}^{s}(\hat{w}_{t}) \\ 0 & \text{otherwise.} \end{cases}$$
(19)

In case wages are not reset but remain at the level \hat{w}_t from the previous period, the wage \hat{w}_t is a state variable and the surplus is

$$\hat{H}_{t}^{i}(a_{t},\hat{w}_{t}) = \hat{w}_{t} - b - \mathbb{I}_{t}\sigma + \beta E_{t}\alpha\rho^{i}\left(\lambda\int_{0}^{1}H_{t+1}(r)\,dG(r) + (1-\lambda)\,H_{t+1}(a_{t})\right) \\
+\beta E_{t}\left(1-\alpha\right)\rho^{i}\left(\lambda\int_{0}^{1}\hat{H}_{t+1}\left(r,\hat{w}_{t}\right)dG(r) + (1-\lambda)\,\hat{H}_{t+1}\left(a_{t},\hat{w}_{t}\right)\right) \\
+E_{t}\left(g^{i} - f\left(\theta_{t}\right)\right)H_{t+1}\left(a_{ub}\right).$$
(20)

For firms that change wages, the surplus is, when there is no on-the-job search

$$J_{t}^{i}(a_{t}) = z_{t}a_{t} - w_{t}^{i}(a_{t}) + \beta E_{t}\rho^{i}\alpha \left(\lambda \int_{0}^{1} J_{t+1}(r) dG(r) + (1-\lambda) J_{t+1}(a_{t})\right) + \beta E_{t}(1-\alpha)\rho^{i}\left(\lambda \int_{0}^{1} \hat{J}_{t+1}(r, w_{t}^{i}(a_{t})) dG(r) + (1-\lambda) \hat{J}_{t+1}(a_{t}, w_{t}^{i}(a_{t}))\right),$$
(21)

where

$$J_t(a_t) = \begin{cases} \max\left(J_t^{ns}\left(a_t\right), 0\right) & \text{if } a_t > R_t^S \\ \max\left(J_t^s\left(a_t\right), 0\right) & \text{if } a_t \le R_t^S \end{cases}$$
(22)

and

$$\hat{J}_{t}(a_{t}, \hat{w}_{t}) = \begin{cases} \max\left(\hat{J}_{t}^{ns}(a_{t}, \hat{w}_{t}), 0\right) & \text{if } a_{t} > \hat{R}_{t}^{S}(\hat{w}_{t}) \\ \max\left(\hat{J}_{t}^{s}(a_{t}, \hat{w}_{t}), 0\right) & \text{if } a_{t} \le \hat{R}_{t}^{S}(\hat{w}_{t}) \end{cases}.$$
(23)

In case wages are not reset but remain at the level \hat{w}_t from the previous period, the values are

$$\hat{J}_{t}^{i}(a_{t},\hat{w}_{t}) = z_{t}a_{t} - \hat{w}_{t} + \beta E_{t}\rho^{i}\alpha \left(\lambda \int_{0}^{1} J_{t+1}(r) dG(r) + (1-\lambda) J_{t+1}(a_{t})\right) + \beta E_{t}(1-\alpha)\rho^{i}\left(\lambda \int_{0}^{1} \hat{J}_{t+1}(r,\hat{w}_{t}) dG(r) + (1-\lambda) \hat{J}_{t+1}(a_{t},\hat{w}_{t})\right).$$
(24)

4.4 Endogenous Separations and On-the-Job Search

As in Mortensen and Pissarides (1994) and Den Haan, Ramey, and Watson (2000), firms have the right to manage. A firm lays off workers if idiosyncratic productivity is at most equal to a cutoff level R^i and \hat{R}^i for $i \in \{ns, s\}$. The separation cutoffs are

$$J_{t}^{i}(R^{i}) = 0 \text{ and } \hat{J}_{t}^{i}(\hat{R}^{i}(\hat{w}_{t}), \hat{w}_{t}) = 0 \text{ for } i \in \{ns, s\}.$$
(25)

In order to get a Beveridge curve that is in line with empirical evidence, we add on the job search.¹⁴ Similarly, the decisions for workers when to search on the job depend on the level of the idiosyncratic productivity shock. A worker searches on the job when idiosyncratic productivity is at most equal to a cutoff level R^S and \hat{R}^S . The on-the-job search cutoffs are

$$H_t^s\left(R_t^S\right) = H_t^{ns}\left(R_t^S\right) \text{ and } \hat{H}_t^s\left(\hat{R}_t^S\left(\hat{w}_t\right), \hat{w}_t\right) = \hat{H}_t^{ns}\left(\hat{R}_t^S\left(\hat{w}_t\right), \hat{w}_t\right).$$
(26)

Note that the introduction of on the job search potentially blurs the channel between wages and separations. The simple model above predicts an unambiguous positive sign for the conditional firm-level wage elasticity of separations, β_w , under the null of wage rigidity for incumbent workers. When allowing for on the job search the sign for β_w will depend on whether the flow of separations is dominated by layoffs or by non-random quits to other jobs (i.e. job switches driven by wage differences). Specifically, a high firm-level wage, ceteris paribus, makes it less likely that you will accept a competing job-offer driving β_w towards a negative sign. We see however in the microdata that the layoff channel dominates.¹⁵ Below, we also confirm that this is the case in the calibrated model when calculating the implied conditional firm-level wage elasticity of separations; for details see Section 5.3 below.

4.5 Wage Bargaining

The nominal wage, when wages are rebargained, is chosen such that it solves the Nash product

$$\max_{w_t^i(a_t)} \left(H_t^i(a_t) \right)^{\varphi} \left(J_t^i(a_t) \right)^{1-\varphi}, \tag{27}$$

where $i \in \{ns, s\}$ and φ denote the bargaining power of the family.

¹⁴A model with only endogenous separations tends to yield a positive correlation between unemployment and vacancies; see Fujita and Ramey (2012).

¹⁵Survey evidence in line with this finding suggests that a sizeable share of job quits are due to reasons unrelated to the wage. Specifically, in a survey "Svenskarnas vilja att byta jobb" from 2017 commissioned by TRR Trygghetsrådet and performed by Norstat on a random representative sample of Swedes between the ages 16 - 64, answered by 1,010 individuals (when first screening out students, retirees and self employed), only 18 percent of those that changed job the last five years (47 percent of all respondents) states that this was due to beeing discontent with the wage. Another 20 percent stated that they got an offer they couldn't refuse which may or may not include an offer of a higher wage.

4.6 The Resource and Government Budget Constraints

Let $n_t(a)$ denote employment in firms with idiosyncratic productivity a. The aggregate resource constraint can be written as

$$c_t + c\nu_t = \int_0^1 n_t (a) z_t a da.$$
(28)

The government uses lump-sum taxes to finance unemployment benefits. Thus, $\tau_t = (1 - n_t) b_r$.

5 Quantitative Evaluation

In the quantitative evaluation we have evaluated the performance of the full model both in a Swedish, as well as in a U.S. context. Although the Swedish labor market is considerably more rigid, with e.g. quarterly flows on par with U.S. monthly flows, the two economies are similar in terms of standard dimensions for evaluating the performance of search and matching models. Moreover, since the full model yields very similar quantitative results in these dimension, regardless of which of the two countries' data moments to match the model to, we present the U.S. results in the main text and defer the Swedish results to the Appendix B.3.

5.1 Calibration

The baseline calibration of the structural parameters is presented in Table 2 and is based on standard values for a monthly parametrization. We set β to 0.9966, which generates a real interest rate of around

	Table 2: Baseline Calibration of the Model.				
	Calibrated Monthly Parameters				
β	Time preference	0.9966			
φ	Family bargaining power	0.5			
σ_a	Matching function	0.5			
α	Calvo prob. of wage adjustment	0.138			
b	Payoff when unemployed	0.75			
	Moment-Matched Monthly Parameters				
σ_{μ}	Matching function productivity	0.523			
c	Vacancy cost	0.559			
σ_G	Idiosyncratic productivity distr. variance	0.095			
σ	Search cost	0.046			
λ	Prob. of new idiosyncratic draw	0.740			
s	Exogenous separation rate	0.0196			

4 percent. We take a standard approach in the calibration of the worker outside option b and set it to 0.75, which is in the span of the estimate in Gertler, Sala, and Trigari (2008) and the calculations in

Hall and Milgrom (2008).^{16,17,18} For job separations, we follow Fujita and Ramey (2012) and set total monthly separations to 0.1, implying a monthly rate of 0.02. We set the bargaining power $\varphi = 0.5$, implying symmetrical bargaining in the baseline calibration. We choose σ_a to yield a matching function elasticity of 0.5 to ensure that the (basic) Hosios condition is satisfied, following Pissarides (2009). As is commonly assumed, see e.g. Den Haan, Ramey, and Watson (2000) and Christiano, Trabandt, and Walentin (2010), we assume that the idiosyncratic productivity shock follows a log-normal distribution with mean zero and standard deviation parameter σ_G . We approximate the idiosyncratic distribution by a grid with 40 gridpoints with lower (upper) bound of 0.6 (1.1).

The Calvo parameter is set to 0.138, following Christiano, Eichenbaum, and Evans (2005). Their baseline quarterly estimate of the probability of a wage change is 0.36, implying a duration of wage contracts of slightly below three quarters. Given the U.S. microdata evidence presented in Barattieri, Basu, and Gottschalk (2014) of an overall probability of wage change in between 21.1 to 26.6 this parameter is calibrated conservatively and in the upper range of the empirically relevant region.¹⁹

We follow Hagedorn and Manovskii (2008) closely when calibrating the aggregate productivity process. We approximate, through a 5-state Markov chain, the continuous-valued AR(1) process $\log z_t = \rho_z \log z_{t-1} + \varepsilon_t^z$ where $\rho_z \in (0, 1)$ and $\varepsilon_t^z \sim N(0, \sigma_z^2)$. Following Hagedorn and Manovskii (2008) we use an autocorrelation of 0.765 and an unconditional standard deviation of 0.013 for the HP-filtered productivity process with a smoothing parameter of 1,600. At a monthly frequency, this requires setting $\rho_z = 0.960$ and $\sigma_z^2 = 0.0085$.

We then choose the parameters σ_{μ} , c, σ_G , σ , λ and s so that the model matches a mean labor market tightness of 0.72 as in Pissarides (2009), a mean separation rate of 0.02, a mean job-to-job finding rate of 0.032 as in Moscarini and Thomsson (2007), a mean job finding probability of 0.34, separation persistence of 0.631 and separation standard deviation of 0.058 as closely as possible.²⁰ The results are presented in Table 3.²¹ Comparing data moments (first column) with simulated moments from the model (second column), under the calibration in Table 2, shows that the model fits the data moments closely, overall. The only dimension where the model misses somewhat is that the

¹⁶Here, b is the payoff when unemployed, thus including e.g. the value of leisure.

¹⁷According to evidence cited in Hall and Milgrom (2008) the after-tax replacement rate is 36 percent. Since not all unemployed workers receive benefits, they set the rate to 25 percent. By adding the value of leisure and the difference in consumption between employed and unemployed, they find a value of 0.71 for the payoff when unemployed. The OECD statistics points towards a somewhat higher number for the after-tax replacement rate, though. We therefore find a slightly higher calibration of the worker outside option reasonable.

¹⁸The calibration of b is subject of intense debate, see e.g. Hagedorn and Manovskii (2008) and Chodorow-Reich and Karabarbounis (2016). Here, the calibration is close to the middle of the interval of 0.47 to 0.96 presented by the latter. ¹⁹An even stickier calibration could be motivated from the probability of a within-job wage change reported to be in between 16.3 and 21.6 percent per quarter in Barattieri, Basu, and Gottschalk (2014).

²⁰The last five targeted moments are taken from Fujita and Ramey (2012).

²¹The number of months in the simulation is set so that it corresponds to the number of quarters in the quarterly data of Fujita and Ramey (2012) (where the period is 1976:I-2005:IV). When choosing the parameters σ_{μ} , c, σ_{G} , σ , λ and s, we simulate 100 data sets, aggregate to quarterly data and then compute the average labor market tightness, the separation

1		
Monthly Moments	Data, US	Model, US
Mean v_t/u_t	0.720	0.732
Mean Separation rate	0.020	0.021
Mean Job-to-job transition rate	0.032	0.033
Mean Job finding rate	0.340	0.304
Std. Separation rate	0.058	0.060
Persistence Separation rate	0.631	0.489

Table 3: Comparison of Matched Moments

Note: Data moments are from Fujita and Ramey (2012) where the sample period for data is 1976:Q1-2005:Q4.

the persistence of separations is a bit too low. This latter moment is tricky to match exactly in this class of models. For example, Fujita and Ramey (2012) also has problems in this dimension, but missing the target on the other side. The parameter λ that determines the degree of persistence in the idiosyncratic productivity process is 0.740. This implies a yearly probability of remaining in the same productivity state close to zero, which is very similar to the implied probability based on the estimation results presented in Fujita and Ramey (2012). Importantly, there is thus a substantial leeway before the persistence in the idiosyncratic technology shock would give rise to any substantial bias in the IV-estimation procedure relying on annual data discussed above.

5.2 Solution Algorithm

We use nonlinear solution techniques along the lines of Hagedorn and Manovskii (2008) to solve the model. As with a standard search and matching model, the system can be solved recursively, i.e. first solving for labor market tightness, wages and values and then for employment flows. Since the system (16), (17), (20), (21), (24) and (27) above does not depend directly on unemployment, we can solve without computing employment and unemployment. Wages that change today depend on the state variables, z_t and a_t . Similarly, a wage that is reset at some point t - k in the past depend on the state variables, z_{t-k} and a_{t-k} . The state for worker and firm surpluses when wages are rigid then depends on the current states, z_t and a_t , and the states when the wage was last reset. Letting Z denote the state space for z_t and A the state space for a_t , the state space for J^i and H^i is $Z \times A \times Z \times A$.

Given the redefinition of the state space above, we guess a solution for firm and worker surpluses, wages and labor market tightness and compute new revised values using value function iteration until convergence. The model is then simulated to generate the synthetic variables required to compute the moments that we match in the calibration.

rate, the job-to-job finding rate, the job finding rate, separation persistence and separation standard deviation.

5.3 Validation

As a first exercise on the calibrated model we compare the implied non targeted conditional firmlevel wage elasticity of separations, β_w , to that of the microdata. For this we calculate the wage elasticity of separations by use of the change in separations from moving in the grid of past wages averaging over Calvo draws, thus holding the idiosyncratic- and the aggregate technology constant in the computation.²² Then the elasticity computed at each grid point is weighted by its employment share in each time period. Finally, to average out different draws of the aggregate technology shock process, we take the average of the elasticity over 100 simulations.

The model under the Swedish calibration, described in detail in the Appendix B.3, gives a conditional firm-level wage elasticity of separations of 8.22, which is within the range of the microdata estimates. Remembering that there are reasons to believe that the point estimates are downward biased, as discussed in Section 3, there is thus a very high degree of agreement between the micro results and the model implications in this dimension. Calibrating the model in a U.S. context, as described above, yields a very similar conditional firm-level wage elasticity of separations of 7.18.

5.4 Quantitative Results

For comparison with the non-targeted moments, we use quarterly data from Fujita and Ramey (2012) that cover the period 1976:Q1-2005:Q4. The implied data moments are presented in the top rows of the top and the bottom panel of Table 4.

The simulated standard deviation for the unemployment rate, the job finding rate, total separation rate, vacancies and the vacancy unemployment ratio are presented in the top panel of Table 4.

Comparing the two top rows we see that wage rigidities for incumbent workers generate a standard deviation of unemployment in the model that is close to the level of the observed standard deviation in the data, 0.089 vs. 0.096. Importantly, the model also performs well in terms of matching the volatility of the vacancy rate, which has proven notoriously difficult in the search-matching literature - a notable exception is Hagedorn and Manovskii (2008). The reason is that the surplus of the firm from vacancy creation becomes much more sensitive to shocks when incumbent wages are rigid. Given the results for unemployment and vacancy volatility, it is not surprising that the model also performs well in terms of the volatility of tightness (v_t/u_t) vis-à-vis the data. However, we do see that the

²²To see why this calculation corresponds to the IV results from the microdata and not the reduced-form estimates from directly including the instrument in the equation, note that we have two cases in the model. First, when the Calvo draw implies that the wage is fixed the lagged wage for incumbent workers perfectly explains the current wage, implying a first-stage coefficient of unity and we thus identify the second-stage IV coefficient in this case. Secondly, when the Calvo draw implies that wages are rebargained for incumbent workers the wage does not affect separations in the model and we thus identify the second-stage IV coefficient also in this case regardless of the first-stage coefficient (which is close to zero given a low autocorrelation in the idiosyncratic technology shock). The calculation then weights the two cases with the Calvo probability.

•					
	u_t	Job find. rate	Sep. rate	v_t	v_t/u_t
		Standard	Deviation		
Data	0.096	0.077	0.058	0.126	0.218
Model	0.089	0.029	0.060	0.186	0.225
Flex Wage - Turning off Wage Rigidities	0.022	0.025	0.000	0.034	0.051
Flex Wage - Recalibrated	0.073	0.027	0.058	0.022	0.084
	C	forrelation with 1	Labor Prod	uctivity	
Data	-0.460	0.369	-0.535	0.564	0.527
Model	-0.616	0.944	-0.271	0.509	0.672
Flex Wage - Turning off Wage Rigidities	-0.854	0.958	-0.006	0.944	0.999
Flex Wage - Recalibrated	-0.896	0.951	-0.930	0.579	0.940

Table 4: Comparison of Monthly Moments

Note: Data moments are from Fujita and Ramey (2012) where the sample period for data is 1976:Q1-2005:Q4.

volatility of the job-finding rate is slightly less than half of that of the data. This is also a problematic moment to match in the search-matching literature, as noted by Fujita and Ramey (2012), and adding wage frictions of incumbent workers does not help in resolving this puzzle.

In the third row we turn off the wage rigidity in the model and let all wages be flexible. This leads to complete deterioration of the models ability to match any of the moments. Essentially, the model turns to a model of exogenous separations when turning off the wage rigidities, since only negative shocks large enough to eradicate the surplus of a match lead to a separation. Since these large shocks are rare, separations become almost constant. Thus the empirically relevant degree of wage rigidities carries substantial propagation force.

Note that Fujita and Ramey (2012) reports that a model with endogenous separations and fully flexible wages for all workers takes the volatility about halfway towards realistic values. In the fourth row we recalibrate the model with flexible wages to match the moments discussed above. Since the model and calibration then becomes very similar to the model of Fujita and Ramey (2012) this exercise qualitatively replicates their results. From the fourth row we see that this helps the model in matching unemployment volatility as well as the volatility of the separation rate, as in Fujita and Ramey (2012), but not the other moments in the table. The improved fit for unemployment and separation rate is essentially achieved by trading propagation in the model for increased idiosyncratic shock variance. But as discussed above, the microdata strongly and robustly rejects a flexible-wage formulation of the incumbent workers in the model.

The results presented above show that a model with flexible wages for new hires, but with realistic amount of wage rigidities for incumbent workers, can actually generate unemployment volatility in the search and matching framework in line with the data. Thus, this extension of the model with a realistic standard value of the worker outside option of 0.75 is an alternative to the Hagedorn and Manovskii (2008) approach, where the value of unemployment is calibrated very closely to firm productivity and worker bargaining power is set close to zero, which achieves the same goal.

Next we study the business-cycle correlations of the model, the bottom panel of Table 4 reports correlations between labor productivity and variables discussed above. The model with wage frictions for incumbent workers matches this correlation well for unemployment, vacancies and tightness. In contrast, the recalibrated flexible wage model only matches the correlation between labor productivity and vacancies well. For separations, the model with wage frictions reproduces the countercyclicality of separations pointed out by Fujita and Ramey (2012), although the correlation is somewhat on the low side. For the model with wage frictions turned off, but with the same parameter calibration as for the model with wage frictions, the correlation is about zero. Thus, reducing wage frictions lowers separation volatility and its comovement with productivity as expected. When the flexible wage model is recalibrated though, implying a much higher idiosyncratic shock variance, the correlation is close to minus unity. For the job finding rate, the correlation is substantially higher than in the data for all models. All in all, the model with wage frictions matches the correlation with labor productivity better than the flexible wage case.

Turning to the elasticity of wages with respect to aggregate productivity, the implications from the model with wage rigidities for incumbent workers are close to empirical estimates. Combining the U.S. evidence reported by Haefke, Sonntag, and van Rens (2013) and Hagedorn and Manovskii (2008), the overall wage elasticity across all workers with respect to aggregate productivity is reported to lie between 0.24 and 0.45 across specifications and data sets. The former paper also report a wage elasticity from new hires with respect to aggregate productivity in between 0.79 and 0.83. The corresponding elasticities predicted by the model is 0.47 and 0.83, respectively, which is well in line with the empirical evidence. Unsurprisingly, removing the wage frictions of incumbent workers increases both the overall and the new hires wage elasticity with respect to aggregate productivity to close to unity $(0.94 \text{ in both cases}).^{23}$

As a final exercise to evaluate the performance of the calibrated model with wage frictions for incumbent workers, we have calculated the unemployment volatility decomposition of Barnichon (2012).²⁴ We find that separations account for 34.4 percent of the unemployment volatility. This should be compared to the results reported in Barnichon (2012) where separations account for about 40 percent of unemployment volatility. Thus, the model results presented above are not driven by an empirically unrealistically high role of separations.

 $^{^{23}}$ To lower these elasticities under flexible wages the bargaining power of the workers needs to be close to zero as in Hagedorn and Manovskii (2008).

 $^{^{24}}$ Here, we adjust the framework of Barnichon (2012) to allow for the slightly different matching function in the model outlined above; see equation (14).

6 Concluding Discussion

In this paper we return to the question of whether or not wage rigidities for incumbent workers affect macroeconomic outcomes. By extending Pissarides (2009) and allowing for endogenous separations in line with Pissarides (1994), wage rigidities in existing matches are no longer neutral with respect to employment volatility. To provide evidence on how incumbent worker wage setting should be modeled, we rely on linked Swedish employer-employee microdata. In a simple model, we show that when incumbent workers' wages are flexible there should be no relationship between the firm wage and separations controlling for the firms marginal revenue product and the workers outside option. In contrast, the data give stark evidence of a strong positive relationship as expected under incumbent worker wage frictions. Finally, we show that the intuition, based on a simple partial equilibrium setup, also holds in a DSGE model allowing for general equilibrium feedback effects. Overall, we find that an empirically relevant degree of wage rigidities for incumbent workers has large quantitative effects on unemployment volatility even when wages for new hires are fully flexible. Specifically, we show that introducing wage frictions for incumbent wages brings the model moments close to those in the data moments, especially for unemployment, vacancies and tightness. Importantly, the model also matches the quantitative microdata evidence on the conditional firm-level wage elasticity of separations without this moment being targeted in the model calibration.

Thus, all in all, it seems that the degree of wage rigidity for newly hired workers is not a sufficient statistic for determining the effect of wage rigidities on macroeconomic outcomes. Instead, wage frictions for incumbent workers turn out to have large effects on unemployment volatility, despite wages for new hires being flexible. This finding, in turn, affects the interpretation of a large empirical literature on wage rigidities.

References

- ADLOLFSSON, M., S. LASEEN, J. LINDE, AND M. VILLANI (2008): "Evaluating an estimated new Keynesian small open economy model," *Journal of Economic Dynamics and Control*, 32, 2690– 2721.
- BARATTIERI, A., S. BASU, AND P. GOTTSCHALK (2014): "Some Evidence on the Importance of Sticky Wages," *American Economic Journal: Macroeconomics*, 6, 70–101.
- BARNICHON, R. (2012): "Vacancy posting, job separation and unemployment fluctuations," *Journal* of Economic Dynamics and Control, 36, 315–330.
- BILS, M., Y. CHANG, AND S.-B. KIM (2016): "How Sticky Wages In Existing Jobs Can Affect Hiring," mimeo.
- CALVO, G. (1983): "Staggered Prices in a Utility-Maximizing Framework," Journal of Monetary Economics, 12, 383–398.
- CARD, D. (1990): "Unexpected Inflation, Real Wages, and Employment Determination in Union Contracts," American Economic Review, 80, 669–88.
- CARLSSON, M., J. MESSINA, AND O. NORDSTRÖM SKANS (2016): "Wage Adjustments and Productivity Shocks," *Economic Journal*, 126, 1739–1773.
- CARLSSON, M., AND O. NORDSTRÖM SKANS (2012): "Evaluating Microfoundations for Aggregate Price Rigidities: Evidence from Matched Firm-Level Data on Product Prices and Unit Labor Cost," American Economic Review, 102, 1571–1595.
- CARNEIRO, A., P. GUIMARÃES, AND P. PORTUGAL (2012): "Real Wages and the Business Cycle: Accounting for Worker, Firm, and Job Title Heterogeneity," *American Economic Journal: Macroeconomics*, 4, 133–52.
- CHODOROW-REICH, G., AND L. KARABARBOUNIS (2016): "The Cyclicality of the Opportunity Cost of Employment," *Journal of Political Economy*, 124, 1563–1618.
- CHRISTIANO, L., M. EICHENBAUM, AND C. EVANS (2005): "Nominal Rigidities and the Dynamic Effects of a Shock to Monetary Policy," *Journal of Political Economy*, 113(1), 1–45.
- CHRISTIANO, L., M. TRABANDT, AND K. WALENTIN (2010): "DSGE Models for Monetary Policy Analysis," in *Handbook of Monetary Economics*, ed. by B. Friedman, and M. Woodford, vol. 3 of *Handbook of Monetary Economics*, chap. 7, pp. 285–367. Elsevier.
- CORREIA, S. (2014): "REGHDFE: Stata module to perform linear or instrumental-variable regression absorbing any number of high-dimensional fixed effects," Statistical Software Components, Boston College Department of Economics.

- DEN HAAN, W., G. RAMEY, AND J. WATSON (2000): "Job Destruction and Propagation of Shocks," American Economic Review, 90, 482–498.
- ELSBY, M., R. MICHAELS, AND G. SOLON (2009): "The Ins and Outs of Cyclical Unemployment," American Economic Journal: Macroeconomics, 1, 84–110.
- FUJITA, S., AND G. RAMEY (2009): "The Cyclicality of Separation and Job Finding Rates," International Economic Review, 50, 415–430.
- ------ (2012): "Exogenous versus Endogenous Separation," American Economic Journal: Macroeconomics, 4, 68–93.
- GERTLER, M., C. HUCKFELDT, AND A. TRIGARI (2016): "Unemployment Fluctuations, Match Quality, and the Wage Cyclicality of New Hires," NBER Working Paper No. 22341.
- GERTLER, M., L. SALA, AND A. TRIGARI (2008): "An Estimated Monetary DSGE Model with Unemployment and Staggered Nominal Wage Bargaining," Journal of Money, Credit and Banking, 40, 1713–1764.
- HAEFKE, C., M. SONNTAG, AND T. VAN RENS (2013): "Wage rigidity and job creation," Journal of Monetary Economics, 60, 887–899.
- HAGEDORN, M., AND I. MANOVSKII (2008): "The Cyclical Behavior of Equilibrium Unemployment and Vacancies Revisited," *American Economic Review*, 98, 1692–1706.
- HALL, R. (2005): "Employment Fluctuations with Equilibrium Wage Stickiness," American Economic Review, 95(1), 50–65.
- HALL, R., AND P. MILGROM (2008): "The Limited Influence of Unemployment on the Wage Bargain," American Economic Review, 98, 1653–1674.
- KLEIBERGEN, F., AND R. PAAP (2006): "Generalized Reduced Rank Tests Using the Singular Value Decomposition," Journal of Econometrics, 127, 97–126.
- MANNING, A. (2011): "Imperfect Competition in the Labor Market," in Handbook of Labor Economics, ed. by D. Card, and O. Ashenfelter, vol. 4b, pp. 973–1041. Elsevier, Amsterdam, Netherlands.
- MARTINS, P., G. SOLON, AND J. THOMAS (2012): "Measuring What Employers Do about Entry Wages over the Business Cycle: A New Approach," *American Economic Journal: Macroeconomics*, 4, 36–55.
- MORTENSEN, D., AND C. PISSARIDES (1994): "Job Creation and Job Destruction in the Theory of Unemployment," *Review of Economic Studies*, 61, 397–415.

- MOSCARINI, G., AND K. THOMSSON (2007): "Occupational and Job Mobility in the US," Scandinavian Journal of Economics, 109, 807–836.
- NORDSTRÖM SKANS, O., P.-A. EDIN, AND B. HOLMLUND (2009): "Wage Dispersion Between and Within Plants: Sweden 1985-2000," in *The Structure of Wages: An International Comparison*, ed. by E. Lazear, and K. Shaw. University of Chicago Press.
- PISSARIDES, C. (1994): "Search Unemployment with On-the-job Search," The Review of Economic Studies, 61, 457–475.
- (2009): "The Unemployment Volatility Puzzle: Is Wage Stickiness the Answer?," *Econometrica*, 77(5), 1339–1369.
- SCHMEIDER, J., AND T. VON WACHTER (2010): "Does Wage Persistence Matter for Employment Fluctuations? Evidence from Displaced Workers," American Economic Journal: Applied Economics, 2, 1–21.
- SCHOEFER, B. (2015): "The Financial Channel of Wage Rigidity," mimeo, Harvard University.
- SHIMER, R. (2005): "The Cyclical Behavior of Equilibrium Unemployment and Vacancies," American Economic Review, 95, 25–49.
- (2007): "Reassesing the ins and outs of unemployment," NBER working paper 13421.
- (2012): "Reassessing the ins and outs of unemployment," *Review of Economic Dynamics*, 15, 127–148.
- TRYGGHETSRÅDET (2017): "Survey: Svenskarnas vilja att byta jobb," mimeo, Trygghetsrådet.
- WOOLDRIDGE, J. (2002): Econometric Analysis of Cross Section and Panel Data. MIT Press, Cambridge, MA.

A Appendix: Robustness of Empirical Results

This appendix addresses the robustness of the micro-econometric evidence. In Table 5 we present the first-stage results corresponding to the baseline results presented in column (1) of Table 1. As

	(1)	(2)
Dependent Variable	$\ln mrp_{jt}$	$\ln w_{jt}$
$\ln mrp_{jt-1}$	$0.206 \ (0.007)^{**}$	0.051 $(0.006)^{**}$
$\ln \hat{w}_{jt-1}^{cc}$	0.081 (0.012)**	$0.191 \\ (0.008)^{**}$
Dummies:		
Firm	YES	YES
Sector by Time	YES	YES
$F \operatorname{Stat}(\ln mrp_{jt-1} = \ln \hat{w}_{jt-1} = 0)$	589**	437**
Observations	306,205	306,205
Firms	42,656	42,656

Table 5: First Stage Results for Baseline Specification

* (**) Denotes significance on the 5 (1) percent level from zero. Standard errors clustered on the firm level reported inside parenthesis. Sector denotes two-digit NACE codes. Sample sizes are adjusted for singletons dropped in the estimation.

can be seen in both columns, the instruments are strongly relevant with F statistics of 589 and 437, respectively. Also, a formal under-identification test confirms that the baseline IV specification is well identified (Kleibergen and Paap (2006) rk LM statistic: $\chi^2(1) = 465$, p-val = 0.000). Moreover, as expected under wage and price stickiness there is a strong positive relationship for each respective "own lag".

In Table 6 we perform various robustness exercises on our baseline results replicated in column (1) for convenience. In column (2) of Table 6 we first focus only on the manufacturing sector. As can be seen in the table, this does not change the results qualitatively. In column (3) we increase the employment requirement to 20 full-time employees and find qualitatively the same results as in the base-line specification in column (2). In column (4) of Table 6, we use a much looser definition of employment when computing separations, using all employment spells of all workers regardless of their degree of firm attachment. This means that a worker is counted as employed regardless of the (monthly) wage or the timing or length of the spell within a year. Again, the results are qualitatively unchanged. In the final column of Table 6 we lag the instrument one additional time period. As can be seen in column (5) this increase the parameter estimate on the wage slightly, as expected from the discussion in the main text, but does not change the results qualitatively.

Table 6: Robustness						
	(1)	(2)	(3)	(4)	(5)	
β_{mrp}	-2.261	-2.359	-2.329	-1.806	-2.603	
-	$(0.173)^{**}$	$(0.279)^{**}$	$(0.329)^{**}$	$(0.151)^{**}$	$(0.422)^{**}$	
β_w	6.029	8.159	8.333	5.067	7.827	
	$(0.309)^{**}$	$(0.830)^{**}$	$(0.772)^{**}$	$(0.268)^{**}$	$(0.541)^{**}$	
Dummies:						
Firm	YES	YES	YES	YES	YES	
Sector by Time	YES	YES	YES	YES	YES	
Manufacturing Only	NO	YES	NO	NO	NO	
$\geq \#$ Full Time Employees	10	10	20	10	10	
Separations Definition	BASELINE	BASELINE	BASELINE	LOOSE	BASELINE	
Instrument lag order	1	1	1	1	2	
Observations	306,205	78,730	149,988	307, 132	267, 187	
Firms	42,656	10,039	20,867	43,034	38,487	

* (**) Denotes significance on the 5 (1) percent level from zero. Standard errors clustered on the firm level reported inside parenthesis. Sector denotes two-digit NACE codes. Sample sizes are adjusted for singletons dropped in the estimation.

In Table 7 we evaluate the use of the approximation $sep_{jt}/\overline{sep}_j$, where \overline{sep}_j denotes the firm average of separations, instead of $\ln sep_{jt}$ in the regressions above. To this end we estimate the baseline specification on an overlapping sample where all zero separation observations have been removed. As can be seen in the table, the approximation works well with only a mild downward bias from using the approximation for separations we employ in the regressions as compared to using the log of separations.

B Appendix: Derivations

B.1 Employment Flows

Let $e_{t-1}(a, \hat{w})$ denote employment for workers with idiosyncratic productivity at most a with wage \hat{w} in period t-1. Total employment for workers with idiosyncratic productivity at most a in period t-1 is then

$$e_{t-1}^{agg}(a) = e_{t-1}^{c}(a) + \sum_{\hat{w}} e_{t-1}^{nc}(a, \hat{w}).$$
(B.1)

Employment evolution for workers with idiosyncratic productivity at most a that change wages is, when $a \in [R_{t-1}, R_{t-1}^S]$

$$e_{t}^{c}(a) = \alpha \rho \left[\lambda \left(G(a) - G(R_{t}) \right) \left(e_{t-1}^{agg}(a_{ub}) - e_{t-1}^{agg}(R_{t-1}^{S}) + (1 - f(\theta_{t})) e_{t-1}^{agg}(R_{t-1}^{S}) \right) + (1 - \lambda) \left(1 - f(\theta_{t}) \right) \left(e_{t-1}^{agg}(a) - e_{t-1}^{agg}(R_{t}) \right) \right],$$
(B.2)

	(1)	(2)
	IV	IV
β_{mrp}	-2.119 (0.182)**	-2.408 (0.222)**
β_w	5.681 (0.327)**	6.854 $(0.399)^{**}$
Dummies:		
Firm	YES	YES
Sector by Time	YES	YES
Dependent Variable	Normalized	Log
Observations	270,266	270,266
Firms	40,388	40,388

 Table 7: Comparison between Normalized and Log Separations

* (**) Denotes significance on the 5 (1) percent level from zero. Standard errors clustered on the firm level reported inside parenthesis. Sector denotes two-digit NACE codes. Sample sizes are adjusted for singletons dropped in the estimation.

when $a \in [R_{t-1}^S, a_{ub})$

$$e_{t}^{c}(a) = \alpha \rho \left[\lambda \left(G(a) - G(R_{t}) \right) \left(e_{t-1}^{agg}(a_{ub}) - e_{t-1}^{agg}(R_{t-1}^{s}) + (1 - f(\theta_{t})) e_{t-1}^{agg}(R_{t-1}^{s}) \right) + (1 - \lambda) \left(e_{t-1}^{agg}(a) - e_{t-1}^{agg}(R_{t-1}^{s}) + (1 - f(\theta_{t})) \left(e_{t-1}^{agg}(R_{t-1}^{s}) - e_{t-1}^{agg}(R_{t}) \right) \right) \right]$$
(B.3)

and when $a = a_{ub}$

$$e_{t}^{c}(a) = \alpha \rho \left[\lambda \left(G(a) - G(R_{t}) \right) \left(e_{t-1}^{agg}(a_{ub}) - e_{t-1}^{agg}(R_{t-1}^{s}) + (1 - f(\theta_{t})) e_{t-1}^{agg}(R_{t-1}^{S}) \right) + (1 - \lambda) \left(e_{t-1}^{agg}(a) - e_{t-1}^{agg}(R_{t-1}^{S}) + (1 - f(\theta_{t})) \left(e_{t-1}^{agg}(R_{t-1}^{S}) - e_{t-1}^{agg}(R_{t}) \right) \right) \right] + f(\theta_{t}) \left(u_{t-1} + \phi_{t-1} \right),$$
(B.4)

where ϕ_{t-1} are workers searching on the job. When $R_{t-1} > R_{t-1}^S$ we have, for $a \in [R_{t-1}, a_{ub})$

$$e_{t}^{c}(a) = \alpha \rho \left[\lambda \left(G(a) - G(R_{t}) \right) e_{t-1}^{agg}(a_{ub}) + (1 - \lambda) \left(e_{t-1}^{agg}(a) - e_{t-1}^{agg}(R_{t}) \right) \right]$$
(B.5)

and for $a = a_{ub}$

$$e_{t}^{c}(a) = \alpha \rho \left[\lambda \left(G(a) - G(R_{t}) \right) e_{t-1}^{agg}(a_{ub}) + (1 - \lambda) \left(e_{t-1}^{agg}(a) - e_{t-1}^{agg}(R_{t}) \right) \right]$$
(B.6)
+ $f(\theta_{t}) \left(u_{t-1} + \phi_{t-1} \right).$

Then we have, slightly abusing notation by letting $e_t^c(a-1)$ denote employment at the grid point

below a,

$$n_t(a) = e_t^c(a) - e_t^c(a-1) + \sum_{\hat{w}} \left[e_t^{nc}(a, \hat{w}) - e_t^{nc}(a-1, \hat{w}) \right].$$

Employment for workers who do not change wages can be computed as follows. First, suppose $\hat{R}_{t-1}^{S}(\hat{w}) > \hat{R}_{t-1}(\hat{w})$. For wage state \hat{w} , when OJS is chosen, i.e., for $a \in [\hat{R}_{t-1}(\hat{w}), \hat{R}_{t-1}^{S}(\hat{w})]$, employment evolves according to

$$e_{t}^{nc}(a,\hat{w}) = (1-\alpha)\rho\left[\lambda\left(G(a) - G\left(\hat{R}_{t}(\hat{w})\right)\right) \times \left(e_{t-1}^{nc}\left(a_{ub},\hat{w}\right) - e_{t-1}^{nc}\left(\hat{R}_{t-1}^{S}(\hat{w}),\hat{w}\right) + (1-f(\theta_{t}))e_{t-1}^{nc}\left(\hat{R}_{t-1}^{S}(\hat{w}),\hat{w}\right)\right) + (1-\lambda)(1-f(\theta_{t}))\left(e_{t-1}^{nc}\left(a,\hat{w}\right) - e_{t-1}^{nc}\left(\hat{R}_{t}(\hat{w}),\hat{w}\right)\right)\right]$$
(B.7)

and, when OJS is not chosen, i.e., for $a \in [\hat{R}_{t-1}^{S}(\hat{w}), a_{ub}]$,

$$e_{t}^{nc}(a,\hat{w}) = (1-\alpha)\rho\left[\lambda\left(G(a) - G\left(\hat{R}_{t}(\hat{w})\right)\right)\left\{e_{t-1}^{nc}(a_{ub},\hat{w}) - e_{t-1}^{nc}\left(\hat{R}_{t-1}^{S}(\hat{w}),\hat{w}\right) + (1-f(\theta_{t}))e_{t-1}^{nc}\left(\hat{R}_{t-1}^{S}(\hat{w}),\hat{w}\right)\right\} + (1-\lambda)\left\{e_{t-1}^{nc}(a,\hat{w}) - e_{t-1}^{nc}\left(\hat{R}_{t-1}^{S}(\hat{w}),\hat{w}\right) + (1-f(\theta_{t}))\left(e_{t-1}^{nc}\left(\hat{R}_{t-1}^{S}(\hat{w}),\hat{w}\right) - e_{t-1}^{nc}\left(\hat{R}_{t},\hat{w}\right)\right)\right\}\right].$$
(B.8)

Now, suppose $\hat{R}_{t-1}^{S}(\hat{w}) \leq \hat{R}_{t-1}(\hat{w})$. Then, for $a \in [\hat{R}_{t-1}^{S}(\hat{w}), \hat{R}_{t-1}(\hat{w})]$ we have $e_{t}^{nc}(a, \hat{w}) = 0$ and for $a \in [\hat{R}_{t}(\hat{w}), a_{ub}]$ we have, modifying the expression above,²⁵

$$e_{t}^{nc}(a,\hat{w}) = (1-\alpha)\rho\left[\lambda\left(G(a) - G\left(\hat{R}_{t}(\hat{w})\right)\right)e_{t-1}^{nc}(a_{ub},\hat{w}) + (1-\lambda)\left(e_{t-1}^{nc}(a,\hat{w}) - e_{t-1}^{nc}\left(\hat{R}_{t}(\hat{w}),\hat{w}\right)\right)\right].$$
(B.9)

Finally, the unemployment to employment transitions are

$$UE_t = A\theta_{t-1}^{1-\alpha} u_{t-1} \tag{B.10}$$

²⁵Note that workers with idiosyncratic productivity realization at or below $\hat{R}_{t-1}^{S}(\hat{w})$ search on the job and lose their job only in the current period.

and separations evolve according to, letting $\mathbb{I}_{t} = 1$ if $\hat{R}_{t-1}^{S}(\hat{w}) > \hat{R}_{t-1}(\hat{w})$ and $\mathbb{I}_{t} = 0$ otherwise,

$$EU_{t} = (1 - \rho) \left(e_{t-1}^{c} (a_{ub}) + \sum_{\hat{w}} e_{t-1} (a_{ub}, \hat{w}) \right) + \\ + \alpha \rho \left[\lambda G (R_{t}) \left(e_{t-1}^{agg} (a_{ub}) - e_{t}^{agg} (R_{t-1}^{S}) + (1 - f (\theta_{t})) e_{t-1}^{agg} (R_{t-1}^{S}) \right) \\ + (1 - \lambda) (1 - f (\theta_{t})) e_{t-1}^{agg} (R_{t}) \right]$$

$$+ (1 - \alpha) \sum_{\hat{w}} \rho \left[\lambda G \left(\hat{R}_{t} (\hat{w}) \right) \left(e_{t} (a_{ub}, \hat{w}) - \mathbb{I}_{t} f (\theta_{t}) e_{t} \left(\hat{R}_{t-1}^{S} (\hat{w}), \hat{w} \right) \right) \right] \\ + (1 - \lambda) (\mathbb{I}_{t} (1 - f (\theta_{t})) + (1 - \mathbb{I}_{t})) a_{ubt} \left(\hat{R}_{t} (\hat{w}), \hat{w} \right) \right].$$
(B.11)

B.2 The Algorithm

Since the system (16), (17), (20), (21), (24) and (27) above does not depend directly on unemployment, we can solve without using unemployment as a state variable. Now, for clarity, we do not surpress the dependence of wages, surpluses and labor market tightness on aggregate productivity. Then, since the values of newly created firms and newly hired workers depend on current and future productivities only (through future surpluses, tightness and H^e), the current wage depends only on the current productivities and tightness depends only on aggregate productivity. Hence, w_t^i is a function of z_t and a_t only. Then, for firm-worker pairs that did not reset their wage today, the wage depends on the productivity when the wage was last reset, say \hat{z} and \hat{a} . We then write $\hat{w}(\hat{z}, \hat{a})$. Then worker surpluses are

$$H^{i}(z_{t},a_{t}) = w^{i}(z_{t},a_{t}) - b - \mathbb{I}_{t}\sigma + \beta E_{t}\alpha\rho^{i}\left(\lambda\int_{0}^{1}H(z_{t+1},r)\,dG(r) + (1-\lambda)\,H(z_{t+1},a_{t})\right) +\beta E_{t}(1-\alpha)\,\rho^{i}\left(\lambda\int_{0}^{1}\hat{H}\left(z_{t+1},r,w_{t}^{i}(z_{t},a_{t})\right)\,dG(r) + (1-\lambda)\,\hat{H}\left(z_{t+1},a_{t},w_{t}^{i}(z_{t},a_{t})\right)\right) + \beta E_{t}\left(g^{i} - f(\theta(z_{t}))\right)H(z_{t+1},a_{ub}).$$
(B.12)

In case wages are not reset but remain at the level \hat{w}_t from the previous period, the wage \hat{w}_t is a state variable and the values are

$$\hat{H}^{i}(z_{t}, a_{t}, \hat{w}(\hat{z}, \hat{a})) = \hat{w}(\hat{z}, \hat{a}) - b - \mathbb{I}_{t}\sigma + \beta E_{t}\alpha\rho^{i}\left(\lambda \int_{0}^{1} H(z_{t+1}, r) dG(r) + (1-\lambda) H(z_{t+1}, a_{t})\right)
+ \beta E_{t}(1-\alpha)\rho^{i}\left(\lambda \int_{0}^{1} \hat{H}(z_{t+1}, r, \hat{w}(\hat{z}, \hat{a})) dG(r) + (1-\lambda) \hat{H}(z_{t+1}, a_{t}, \hat{w}(\hat{z}, \hat{a}))\right) + E_{t}\left(g^{i} - f(\theta(z_{t}))\right) H(z_{t+1}, a_{ub}).$$
(B.13)

We can proceed similarly for the remaining value equations so that surpluses when wages are reset depend on current productivity only and surpluses when wages are not rebargained depend on productivity at the last rebargain together with the current productivity.

We solve by fixing a solution for the wage, surpluses and tightness and then use value function iteration to find revised surpluses, wages and tightness. Given convergence of the value function iteration, we can then proceed to compute employment, unemployment, vacancies and separations.

B.3 Appendix: Swedish Calibration

In the Swedish calibration the parameters β , φ , σ_a and b are set to the same values as in the U.S. calibration, see Table 8 in the main text. Following the estimates from Swedish data presented in Adlolfsson, Laseen, Linde, and Villani (2008), we set the Calvo probability of wage adjustment to 0.091 on a monthly basis. The parameters σ_{μ} , c, σ_G , σ , λ and s are set matching the same moments as for the US calibration; see Table 9 for details.

	Table 8: Calibration of the Swedish Model.				
	Calibration Monthly Parameters				
β	Time preference	0.9966			
φ	Family bargaining power	0.5			
σ_a	Matching function	0.5			
α	Calvo prob. of wage adjustment	0.091			
b	Payoff when unemployed	0.75			
	Moment-Matched Monthly Parameters				
σ_{μ}	Matching function productivity	0.317			
c	Vacancy cost	1.384			
σ_G	Idiosyncratic productivity distr. variance	0.313			
σ	Search cost	0.057			
λ	Prob. of new idiosyncratic draw	0.537			
s	Exogenous separation rate	0.005			

Table 9 gives the moments in data and in the model that results when calibrating the parameters σ_{μ} , c, σ_{G} , σ , λ and s.

Although the Swedish labor markets flows are clearly lower than in the U.S., the fit between the simulated moments and the data moments is high, and in fact slightly better than for the U.S. calibration. In Table 10, the moments for unemployment, the job finding rate, the separation rate, vacancies and the vacancy/unemployment rate are illustrated. Again the model performs very well when it comes to the volatility of unemployment, vacancies and tightness. Although, as for the U.S. the model volatility of the job-finding rate is substantially lower than in the data. With respect to the business-cycle correlations, the performance is slightly below that of the U.S. calibration, but the overall conclusions is unaffected.

Table 9:	Cor	nparison	of	' Matchee	1 N	Ioments	\mathbf{Sw}	veden
----------	-----	----------	----	-----------	-----	----------------	---------------	-------

Monthly Moments	Data	Model
Mean v_t/u_t	0.29	0.290
Mean Separation rate	0.005	0.005
Mean Job-to-job transition rate	0.010	0.010
Mean Job finding rate	0.101	0.106
Std. Separation rate	0.090	0.091
Persistence Separation rate	0.662	0.553

Note: The sample period for data is 2005Q3-2016:Q4. The targets for separations, the job-to-job transition rate and the job finding rate are from the quarterly series provided by the Labor Force Survey (AKU), The series for v/u is computed using monthly data provided by the Labor Force Survey (AKU) and the Unemployment Board Statistics, respectively. To compute the persistence and standard deviation for separations, we take logs and HP filter the series for separations with a penalty parameter of 1,600.

	Table	c 10. Compark		menus,	Dweuer
	u_t	Job find. rate	Sep. rate	v_t	v_t/u_t
		Standard	Deviation		
Data	0.085	0.077	0.0910	0.175	0.247
Model	0.109	0.031	0.0912	0.118	0.199
	C	Correlation with I	Labor Prod	uctivity	
Data	-0.153	0.461	-0.656	0.628	0.498
Model	-0.656	0.959	-0.439	0.959	0.919

Table 10: Comparison of Moments, Sweden

Note: All variables are logged and HP-filtered with a penalty parameter equal to 1,600. The sample period for data is 2005Q3-2016:Q4. Unemployment and vacancies is quarterly averages of monthly data from the Labor Force surveys and the Unemployment Board Statistics, respectively. The job finding and separation rates are constructed from quarterly series provided by the Labor Force Survey (AKU), SCB. Labor productivity is from the National Accounts and on a quarterly frequency.

Earlier Working Papers:

For a complete list of Working Papers published by Sveriges Riksbank, see www.riksbank.se

Estimation of an Adaptive Stock Market Model with Heterogeneous Agents by Henrik Amilon	2005:177
Some Further Evidence on Interest-Rate Smoothing: The Role of Measurement Errors in the Output Gap by Mikael Apel and Per Jansson	2005:178
Bayesian Estimation of an Open Economy DSGE Model with Incomplete Pass-Through by Malin Adolfson, Stefan Laséen, Jesper Lindé and Mattias Villani	2005:179
Are Constant Interest Rate Forecasts Modest Interventions? Evidence from an Estimated Open Economy DSGE Model of the Euro Area <i>by Malin Adolfson, Stefan Laséen, Jesper Lindé and Mattias Villani</i>	2005:180
Inference in Vector Autoregressive Models with an Informative Prior on the Steady State by Mattias Villani	2005:181
Bank Mergers, Competition and Liquidity by Elena Carletti, Philipp Hartmann and Giancarlo Spagnolo	2005:182
Testing Near-Rationality using Detailed Survey Data by Michael F. Bryan and Stefan Palmqvist	2005:183
Exploring Interactions between Real Activity and the Financial Stance by Tor Jacobson, Jesper Lindé and Kasper Roszbach	2005:184
Two-Sided Network Effects, Bank Interchange Fees, and the Allocation of Fixed Costs by Mats A. Bergman	2005:185
Trade Deficits in the Baltic States: How Long Will the Party Last? by Rudolfs Bems and Kristian Jönsson	2005:186
Real Exchange Rate and Consumption Fluctuations follwing Trade Liberalization by Kristian Jönsson	2005:187
Modern Forecasting Models in Action: Improving Macroeconomic Analyses at Central Banks by Malin Adolfson, Michael K. Andersson, Jesper Lindé, Mattias Villani and Anders Vredin	2005:188
Bayesian Inference of General Linear Restrictions on the Cointegration Space by Mattias Villani	2005:189
Forecasting Performance of an Open Economy Dynamic Stochastic General Equilibrium Model by Malin Adolfson, Stefan Laséen, Jesper Lindé and Mattias Villani	2005:190
Forecast Combination and Model Averaging using Predictive Measures by Jana Eklund and Sune Karlsson	2005:191
Swedish Intervention and the Krona Float, 1993-2002 by Owen F. Humpage and Javiera Ragnartz	2006:192
A Simultaneous Model of the Swedish Krona, the US Dollar and the Euro by Hans Lindblad and Peter Sellin	2006:193
Testing Theories of Job Creation: Does Supply Create Its Own Demand? by Mikael Carlsson, Stefan Eriksson and Nils Gottfries	2006:194
Down or Out: Assessing The Welfare Costs of Household Investment Mistakes by Laurent E. Calvet, John Y. Campbell and Paolo Sodini	2006:195
Efficient Bayesian Inference for Multiple Change-Point and Mixture Innovation Models by Paolo Giordani and Robert Kohn	2006:196
Derivation and Estimation of a New Keynesian Phillips Curve in a Small Open Economy by Karolina Holmberg	2006:197
Technology Shocks and the Labour-Input Response: Evidence from Firm-Level Data by Mikael Carlsson and Jon Smedsaas	2006:198
Monetary Policy and Staggered Wage Bargaining when Prices are Sticky by Mikael Carlsson and Andreas Westermark	2006:199
The Swedish External Position and the Krona by Philip R. Lane	2006:200

Price Setting Transactions and the Role of Denominating Currency in FX Markets <i>by Richard Friberg and Fredrik Wilander</i>	2007:2
The geography of asset holdings: Evidence from Sweden <i>by Nicolas Coeurdacier and Philippe Martin</i>	2007:2
Evaluating An Estimated New Keynesian Small Open Economy Model <i>by Malin Adolfson, Stefan Laséen, Jesper Lindé and Mattias Villani</i>	2007:2
The Use of Cash and the Size of the Shadow Economy in Sweden <i>by Gabriela Guibourg and Björn Segendorf</i>	2007:2
Bank supervision Russian style: Evidence of conflicts between micro- and macro-prudential concerns <i>by Sophie Claeys and Koen Schoors</i>	2007:2
Optimal Monetary Policy under Downward Nominal Wage Rigidity by Mikael Carlsson and Andreas Westermark	2007:2
Financial Structure, Managerial Compensation and Monitoring by Vittoria Cerasi and Sonja Daltung	2007:
Financial Frictions, Investment and Tobin's q <i>by Guido Lorenzoni and Karl Walentin</i>	2007:
Sticky Information vs Sticky Prices: A Horse Race in a DSGE Framework <i>by Mathias Trabandt</i>	2007:
Acquisition versus greenfield: The impact of the mode of foreign bank entry on information and bank lending rates <i>by Sophie Claeys and Christa Hainz</i>	2007:
Nonparametric Regression Density Estimation Using Smoothly Varying Normal Mixtures by Mattias Villani, Robert Kohn and Paolo Giordani	2007:
The Costs of Paying – Private and Social Costs of Cash and Card <i>by Mats Bergman, Gabriella Guibourg and Björn Segendorf</i>	2007:
Using a New Open Economy Macroeconomics model to make real nominal exchange rate forecasts by Peter Sellin	2007:
Introducing Financial Frictions and Unemployment into a Small Open Economy Model by Lawrence J. Christiano, Mathias Trabandt and Karl Walentin	2007:
Earnings Inequality and the Equity Premium <i>by Karl Walentin</i>	2007:
Bayesian forecast combination for VAR models <i>by Michael K. Andersson and Sune Karlsson</i>	2007:
Do Central Banks React to House Prices? <i>by Daria Finocchiaro and Virginia Queijo von Heideken</i>	2007:
The Riksbank's Forecasting Performance by Michael K. Andersson, Gustav Karlsson and Josef Svensson	2007:
Macroeconomic Impact on Expected Default Freqency <i>by Per Åsberg and Hovick Shahnazarian</i>	2008:
Monetary Policy Regimes and the Volatility of Long-Term Interest Rates <i>by Virginia Queijo von Heideken</i>	2008:
Governing the Governors: A Clinical Study of Central Banks by Lars Frisell, Kasper Roszbach and Giancarlo Spagnolo	2008:
The Monetary Policy Decision-Making Process and the Term Structure of Interest Rates by Hans Dillén	2008:
How Important are Financial Frictions in the U S and the Euro Area <i>by Virginia Queijo von Heideken</i>	2008:
Block Kalman filtering for large-scale DSGE models <i>by Ingvar Strid and Karl Walentin</i>	2008:
Optimal Monetary Policy in an Operational Medium-Sized DSGE Model <i>by Malin Adolfson, Stefan Laséen, Jesper Lindé and Lars E. O. Svensson</i>	2008
Firm Default and Aggregate Fluctuations by Tor Jacobson, Rikard Kindell, Jesper Lindé and Kasper Roszbach	2008:

Re-Evaluating Swedish Membership in EMU: Evidence from an Estimated Model by Ulf Söderström	2008
The Effect of Cash Flow on Investment: An Empirical Test of the Balance Sheet Channel by Ola Melander	2009
Expectation Driven Business Cycles with Limited Enforcement by Karl Walentin	2009
Effects of Organizational Change on Firm Productivity <i>by Christina Håkanson</i>	2009
Evaluating Microfoundations for Aggregate Price Rigidities: Evidence from Matched Firm-Level Data on Product Prices and Unit Labor Cost <i>by Mikael Carlsson and Oskar Nordström Skans</i>	2009
Monetary Policy Trade-Offs in an Estimated Open-Economy DSGE Model <i>by Malin Adolfson, Stefan Laséen, Jesper Lindé and Lars E. O. Svensson</i>	2009
Flexible Modeling of Conditional Distributions Using Smooth Mixtures of Asymmetric Student T Densities <i>by Feng Li, Mattias Villani and Robert Kohn</i>	2009
Forecasting Macroeconomic Time Series with Locally Adaptive Signal Extraction by Paolo Giordani and Mattias Villani	2009
Evaluating Monetary Policy <i>by Lars E. O. Svensson</i>	2009
Risk Premiums and Macroeconomic Dynamics in a Heterogeneous Agent Model by Ferre De Graeve, Maarten Dossche, Marina Emiris, Henri Sneessens and Raf Wouters	2010
Picking the Brains of MPC Members <i>by Mikael Apel, Carl Andreas Claussen and Petra Lennartsdotter</i>	2010
Involuntary Unemployment and the Business Cycle <i>by Lawrence J. Christiano, Mathias Trabandt and Karl Walentin</i>	2010
Housing collateral and the monetary transmission mechanism <i>by Karl Walentin and Peter Sellin</i>	2010
The Discursive Dilemma in Monetary Policy by Carl Andreas Claussen and Øistein Røisland	2010
Monetary Regime Change and Business Cycles <i>by Vasco Cúrdia and Daria Finocchiaro</i>	2010
Bayesian Inference in Structural Second-Price common Value Auctions <i>by Bertil Wegmann and Mattias Villani</i>	2010
Equilibrium asset prices and the wealth distribution with inattentive consumers by Daria Finocchiaro	2010
Identifying VARs through Heterogeneity: An Application to Bank Runs <i>by Ferre De Graeve and Alexei Karas</i>	2010
Modeling Conditional Densities Using Finite Smooth Mixtures <i>by Feng Li, Mattias Villani and Robert Kohn</i>	2010
The Output Gap, the Labor Wedge, and the Dynamic Behavior of Hours by Luca Sala, Ulf Söderström and Antonella Trigari	2010
Density-Conditional Forecasts in Dynamic Multivariate Models <i>by Michael K. Andersson, Stefan Palmqvist and Daniel F. Waggoner</i>	2010
Anticipated Alternative Policy-Rate Paths in Policy Simulations <i>by Stefan Laséen and Lars E. O. Svensson</i>	2010
MOSES: Model of Swedish Economic Studies <i>by Gunnar Bårdsen, Ard den Reijer, Patrik Jonasson and Ragnar Nymoen</i>	2011
The Effects of Endogenuos Firm Exit on Business Cycle Dynamics and Optimal Fiscal Policy by Lauri Vilmi	2011
Parameter Identification in a Estimated New Keynesian Open Economy Model <i>by Malin Adolfson and Jesper Lindé</i>	2011
Up for count? Central bank words and financial stress by Marianna Blix Grimaldi	2011

Wage Adjustment and Productivity Shocks by Mikael Carlsson, Julián Messina and Oskar Nordström Skans	2011:253
Stylized (Arte) Facts on Sectoral Inflation by Ferre De Graeve and Karl Walentin	2011:254
Hedging Labor Income Risk by Sebastien Betermier, Thomas Jansson, Christine A. Parlour and Johan Walden	2011:255
Taking the Twists into Account: Predicting Firm Bankruptcy Risk with Splines of Financial Ratios by Paolo Giordani, Tor Jacobson, Erik von Schedvin and Mattias Villani	2011:256
Collateralization, Bank Loan Rates and Monitoring: Evidence from a Natural Experiment by Geraldo Cerqueiro, Steven Ongena and Kasper Roszbach	2012:257
On the Non-Exclusivity of Loan Contracts: An Empirical Investigation by Hans Degryse, Vasso Ioannidou and Erik von Schedvin	2012:258
Labor-Market Frictions and Optimal Inflation by Mikael Carlsson and Andreas Westermark	2012:259
Output Gaps and Robust Monetary Policy Rules <i>by Roberto M. Billi</i>	2012:260
The Information Content of Central Bank Minutes by Mikael Apel and Marianna Blix Grimaldi	2012:261
The Cost of Consumer Payments in Sweden <i>by Björn Segendorf and Thomas Jansson</i>	2012:262
Trade Credit and the Propagation of Corporate Failure: An Empirical Analysis by Tor Jacobson and Erik von Schedvin	2012:263
Structural and Cyclical Forces in the Labor Market During the Great Recession: Cross-Country Evidence by Luca Sala, Ulf Söderström and AntonellaTrigari	2012:264
Pension Wealth and Household Savings in Europe: Evidence from SHARELIFE by Rob Alessie, Viola Angelini and Peter van Santen	2013:265
Long-Term Relationship Bargaining by Andreas Westermark	2013:266
Using Financial Markets To Estimate the Macro Effects of Monetary Policy: An Impact-Identified FAVAR*	2013:267
DYNAMIC MIXTURE-OF-EXPERTS MODELS FOR LONGITUDINAL AND DISCRETE-TIME SURVIVAL DATA	2013:268
Conditional euro area sovereign default risk by André Lucas, Bernd Schwaah and Xin Zhang	2013:269
Nominal GDP Targeting and the Zero Lower Bound: Should We Abandon Inflation Targeting?*	2013:270
Un-truncating VARs*	2013:271
Housing Choices and Labor Income Risk	2013:272
Identifying Fiscal Inflation*	2013:273
On the Redistributive Effects of Inflation: an International Perspective*	2013:274
Business Cycle Implications of Mortgage Spreads*	2013:275
by Karl Walentin Approximate dynamic programming with post-decision states as a solution method for dynamic	2013:276
economic models <i>by Isaiah Hull</i> A detrimental feedback loop: deleveraging and adverse selection	2013:277
<i>by Christoph Bertsch</i> Distortionary Fiscal Policy and Monetary Policy Goals	2013:278
<i>by Klaus Adam and Roberto M. Billi</i> Predicting the Spread of Financial Innovations: An Epidemiological Approach	2013:279
by Isaiah Hull	

Firm-Level Evidence of Shifts in the Supply of Credit	2013:280
by Karolina Holmberg	
Lines of Credit and Investment: Firm-Level Evidence of Real Effects of the Financial Crisis	2013:281
by Karolina Holmberg	
A wake-up call: information contagion and strategic uncertainty	2013:282
by Toni Ahnert and Christoph Bertsch	
Debt Dynamics and Monetary Policy: A Note	2013:283
by Stefan Laséen and Ingvar Strid	
Optimal taxation with home production	2014:284
by Conny Olovsson	
Incompatible European Partners? Cultural Predispositions and Household Financial Behavior	2014:285
by Michael Haliassos, Thomas Jansson and Yigitcan Karabulut	
How Subprime Borrowers and Mortgage Brokers Shared the Piecial Behavior	2014:286
by Antje Berndt, Burton Hollifield and Patrik Sandås	
The Macro-Financial Implications of House Price-Indexed Mortgage Contracts	2014:287
by Isaiah Hull	
Does Trading Anonymously Enhance Liquidity?	2014:288
by Patrick J. Dennis and Patrik Sandås	
Systematic bailout guarantees and tacit coordination	2014:289
by Christoph Bertsch, Claudio Calcagno and Mark Le Quement	
Selection Effects in Producer-Price Setting	2014:290
by Mikael Carlsson	
Dynamic Demand Adjustment and Exchange Rate Volatility	2014:291
by Vesna Corbo	
Forward Guidance and Long Term Interest Rates: Inspecting the Mechanism	2014:292
by Ferre De Graeve, Pelin Ilbas & Raf Wouters	
Firm-Level Shocks and Labor Adjustments	2014:293
by Mikael Carlsson, Julián Messina and Oskar Nordström Skans	
A wake-up call theory of contagion	2015:294
by Toni Ahnert and Christoph Bertsch	
Risks in macroeconomic fundamentals and excess bond returns predictability	2015:295
by Rafael B. De Rezende	
The Importance of Reallocation for Productivity Growth: Evidence from European and US Banking	2015:296
by Jaap W.B. Bos and Peter C. van Santen	
SPEEDING UP MCMC BY EFFICIENT DATA SUBSAMPLING	2015:297
by Matias Quiroz, Mattias Villani and Robert Kohn	
Amortization Requirements and Household Indebtedness: An Application to Swedish-Style Mortgages	2015:298
by Isaiah Hull	
Fuel for Economic Growth?	2015:299
by Johan Gars and Conny Olovsson	
Searching for Information	2015:300
by Jungsuk Han and Francesco Sangiorgi	
What Broke First? Characterizing Sources of Structural Change Prior to the Great Recession	2015:301
by Isaiah Hull	
Price Level Targeting and Risk Management	2015:302
by Roberto Billi	
Central bank policy paths and market forward rates: A simple model	2015:303
by Ferre De Graeve and Jens Iversen	
Jump-Starting the Euro Area Recovery: Would a Rise in Core Fiscal Spending Help the Periphery?	2015:304
by Olivier Blanchard, Christopher J. Erceg and Jesper Lindé	
Bringing Financial Stability into Monetary Policy*	2015:305
by Eric M. Leeper and James M. Nason	

SCALABLE MCMC FOR LARGE DATA PROBLEMS USING DATA SUBSAMPLING AND THE DIFFERENCE ESTIMATOR	2015:306
by MATIAS QUIROZ, MATTIAS VILLANI AND ROBERT KOHN	
SPEEDING UP MCMC BY DELAYED ACCEPTANCE AND DATA SUBSAMPLING	2015:307
by MATIAS QUIROZ	
Modeling financial sector joint tail risk in the euro area	2015:308
by André Lucas, Bernd Schwaab and Xin Zhang	
Score Driven Exponentially Weighted Moving Averages and Value-at-Risk Forecasting	2015:309
by André Lucas and Xin Zhang	
On the Theoretical Efficacy of Quantitative Easing at the Zero Lower Bound	2015:310
by Paola Boel and Christopher J. Waller	
Optimal Inflation with Corporate Taxation and Financial Constraints	2015:311
by Daria Finocchiaro, Giovanni Lombardo, Caterina Mendicino and Philippe Weil	
Fire Sale Bank Recapitalizations	2015:312
by Christoph Bertsch and Mike Mariathasan	
Since you're so rich, you must be really smart: Talent and the Finance Wage Premium	2015:313
by Michael Böhm, Daniel Metzger and Per Strömberg	
Debt, equity and the equity price puzzle	2015:314
by Daria Finocchiaro and Caterina Mendicino	
Trade Credit: Contract-Level Evidence Contradicts Current Theories	2016:315
by Tore Ellingsen, Tor Jacobson and Erik von Schedvin	
Double Liability in a Branch Banking System: Historical Evidence from Canada	2016:316
by Anna Grodecka and Antonis Kotidis	
Subprime Borrowers, Securitization and the Transmission of Business Cycles	2016:317
by Anna Grodecka	
Real-Time Forecasting for Monetary Policy Analysis: The Case of Sveriges Riksbank	2016:318
by Jens Iversen, Stefan Laséen, Henrik Lundvall and Ulf Söderström	
Fed Liftoff and Subprime Loan Interest Rates: Evidence from the Peer-to-Peer Lending	2016:319
by Christoph Bertsch, Isaiah Hull and Xin Zhang	
Curbing Shocks to Corporate Liquidity: The Role of Trade Credit	2016:320
by Niklas Amberg, Tor Jacobson, Erik von Schedvin and Robert Townsend	
Firms' Strategic Choice of Loan Delinquencies	2016:321
by Paola Morales-Acevedo	
Fiscal Consolidation Under Imperfect Credibility	2016:322
by Matthieu Lemoine and Jesper Lindé	
Challenges for Central Banks' Macro Models	2016:323
by Jesper Lindé, Frank Smets and Rafael Wouters	
The interest rate effects of government bond purchases away from the lower bound	2016:324
by Rafael B. De Rezende	
COVENANT-LIGHT CONTRACTS AND CREDITOR COORDINATION	2016:325
by Bo Becker and Victoria Ivashina	



Sveriges Riksbank Visiting address: Brunkebergs torg 11 Mail address: se-103 37 Stockholm

Website: www.riksbank.se Telephone: +46 8 787 00 00, Fax: +46 8 21 05 31 E-mail: registratorn@riksbank.se